

Fatigue, Damage and Failure of Composite Materials: Mechanisms, Fatigue Life Diagrams and Life Prediction

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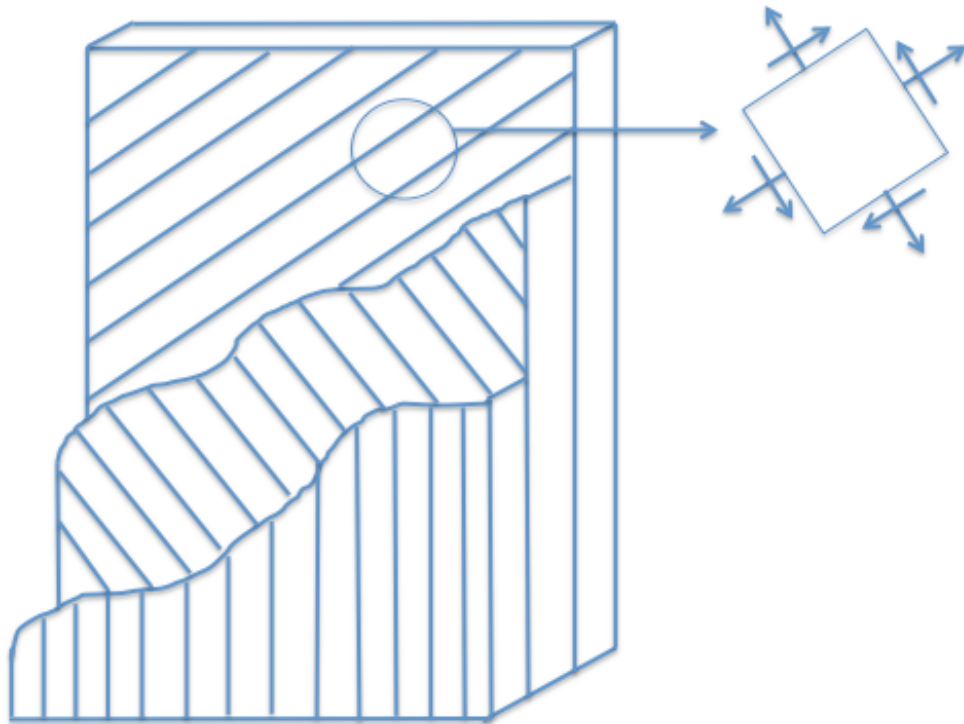
UTMIS Autumn Course, Gothenburg, Sweden, 15-16 October 2019

Lecture 3: FATIGUE LIFE DIAGRAMS - Laminates

Contents

- Damage mechanisms – lamina to laminate
- Lamina (UD composite) fatigue in cyclic plane stress state
 - ⇒ Effect of shear
 - ⇒ Effect of transverse tension
- Changes in the baseline fatigue life diagram of UD composite
- Angle ply laminates
- Cross ply laminates
- General laminates
- Fiber architecture effects: short fiber composites, textile composites

Loading, laminate to lamina



Any general (multiaxial) loading on a laminate results in biaxial loading (plane stress state) in a lamina

In material coordinates, x_1, x_2

the stress components $\sigma_1, \sigma_2, \sigma_6 = \sigma_{12}$

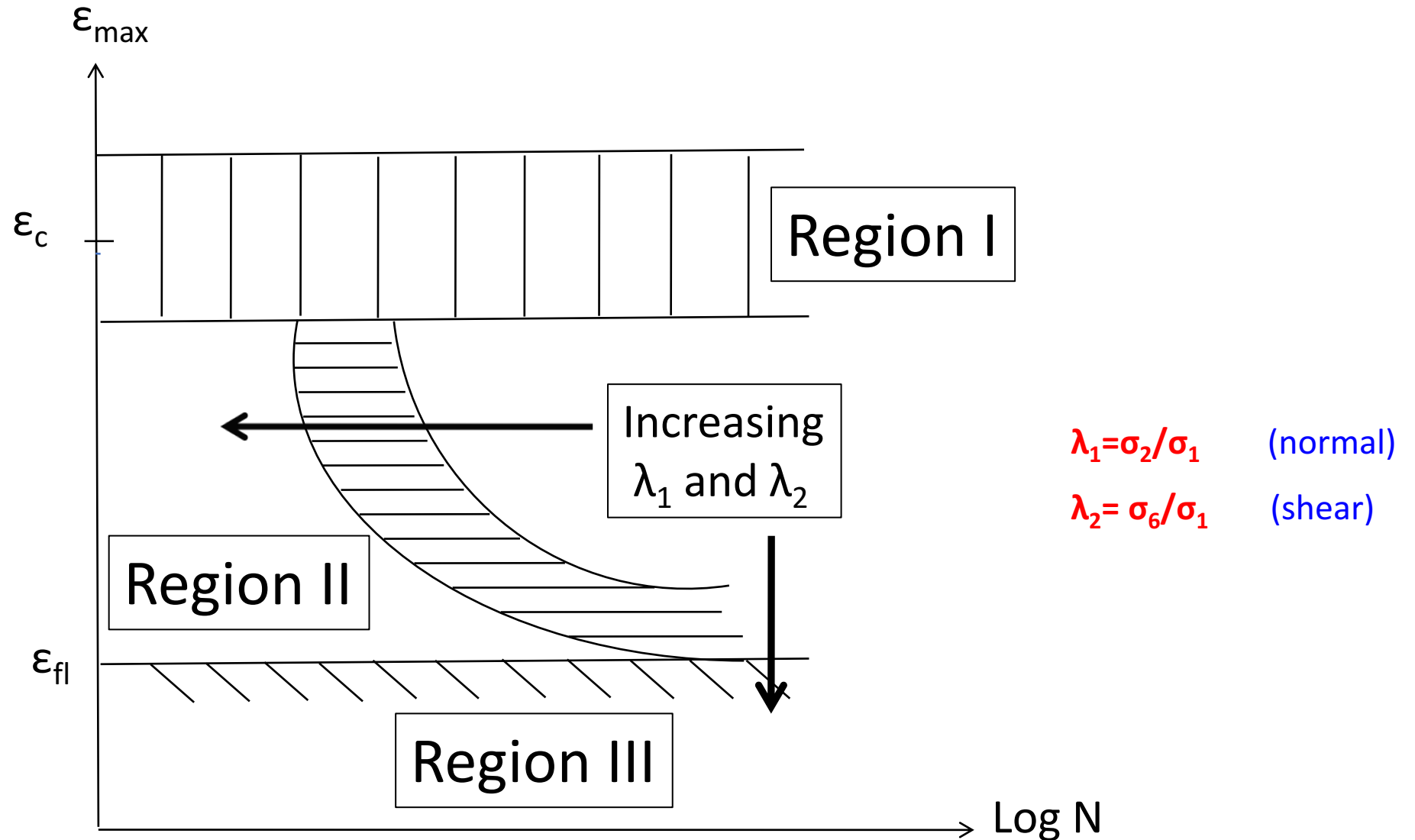
Biaxiality ratios:

$$\lambda_1 = \sigma_2 / \sigma_1 \quad (\text{normal})$$

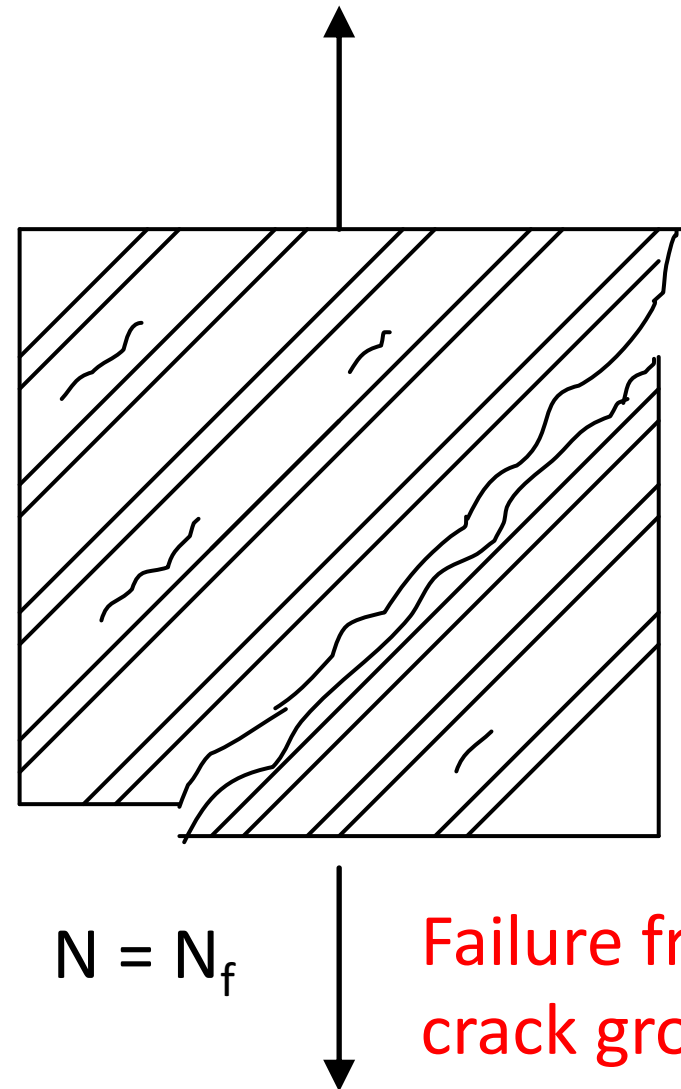
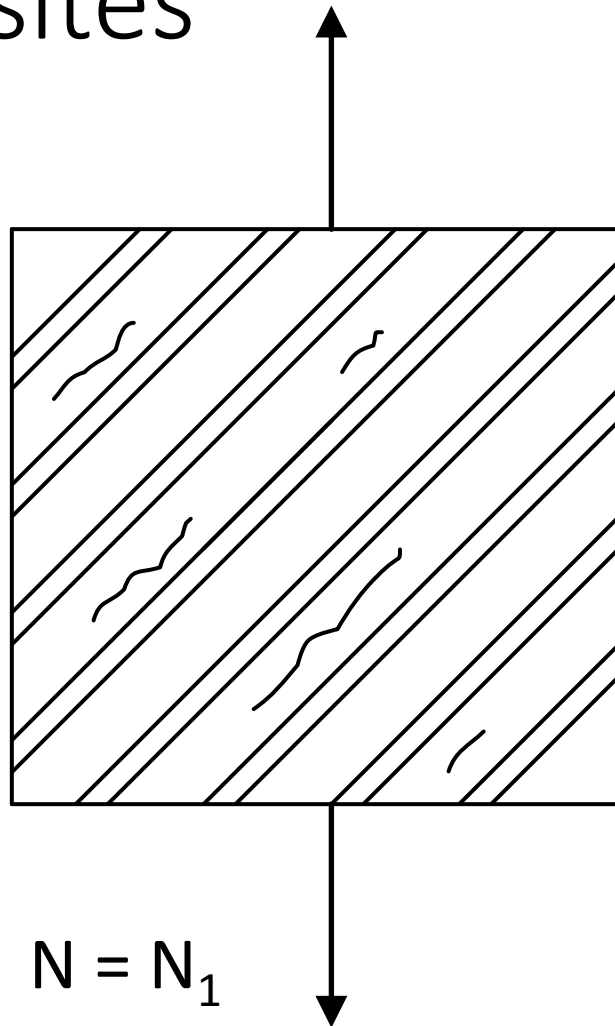
$$\lambda_2 = \sigma_6 / \sigma_1 \quad (\text{shear})$$

How do the biaxiality ratios affect the baseline FLD of UD composites?

Expected effects of biaxiality ratios on FLD

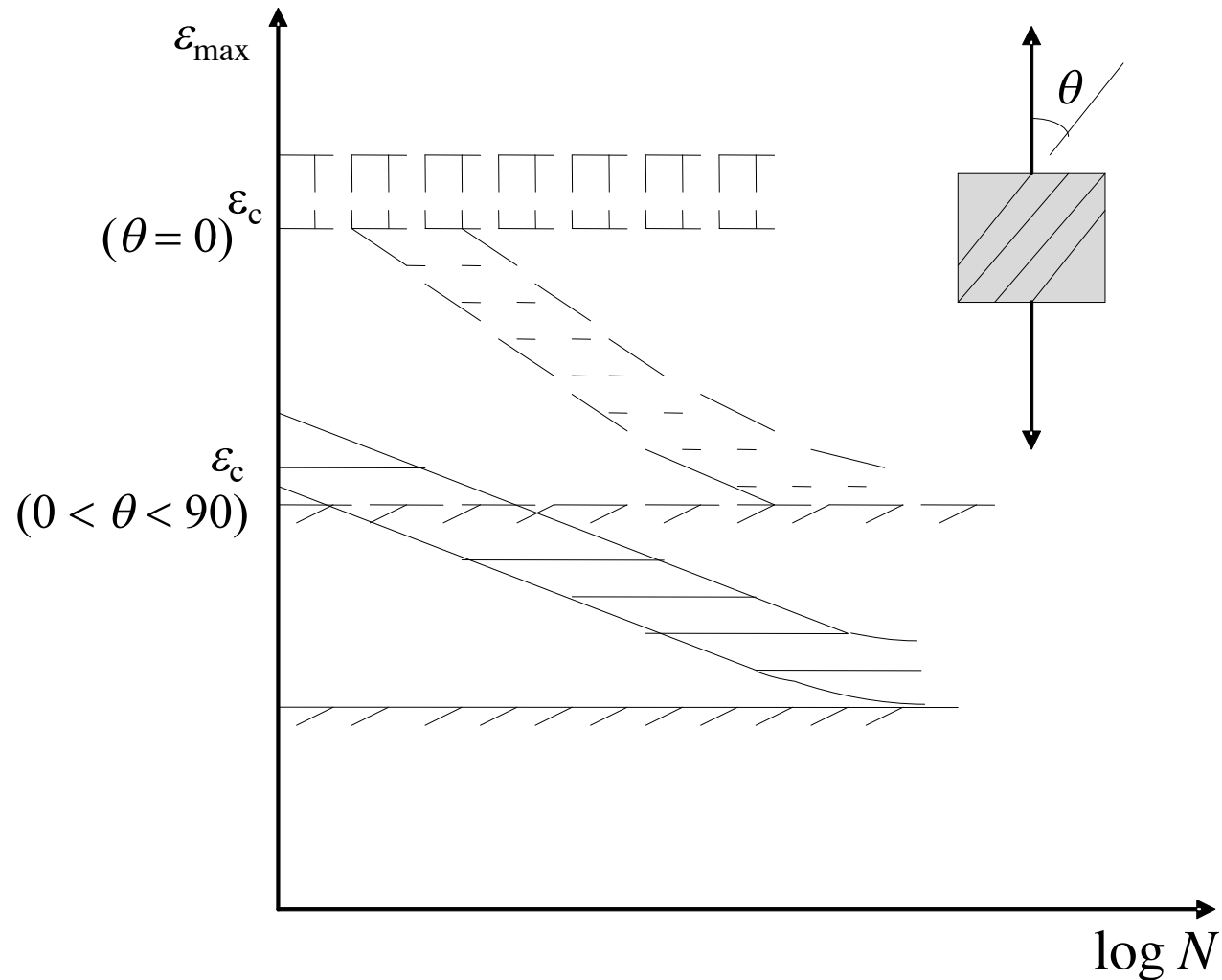


Fatigue in off-axis (inclined) tension of UD composites



Failure from a single crack growing in mixed mode

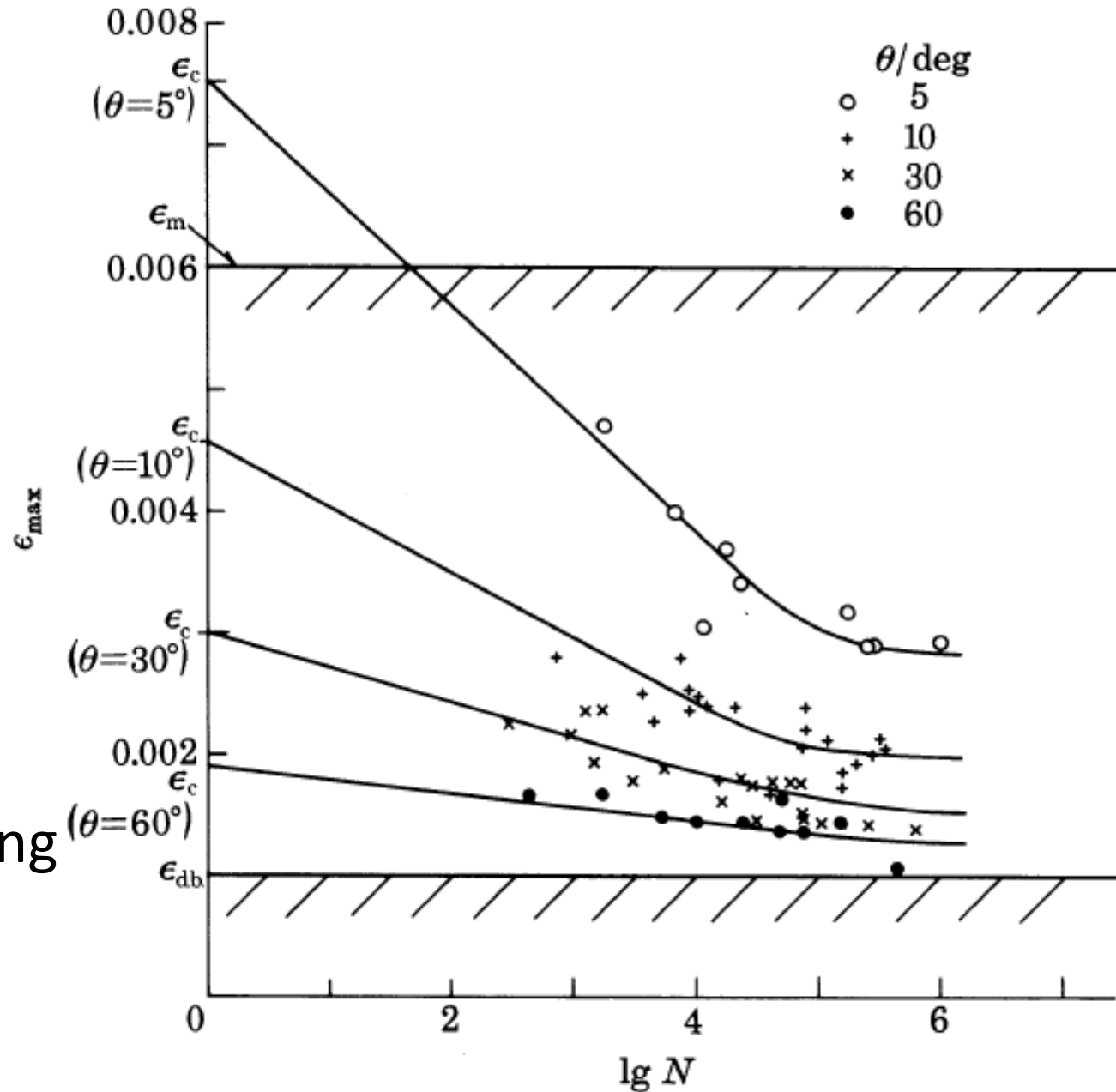
Change in the baseline FLD with the angle of off-axis fatigue loading



Experimental data,
Hashin and Rotem (1973),
Glass/epoxy
(Their S-N data replotted
as FLDs)

ϵ_m = Fatigue limit of
matrix (epoxy)

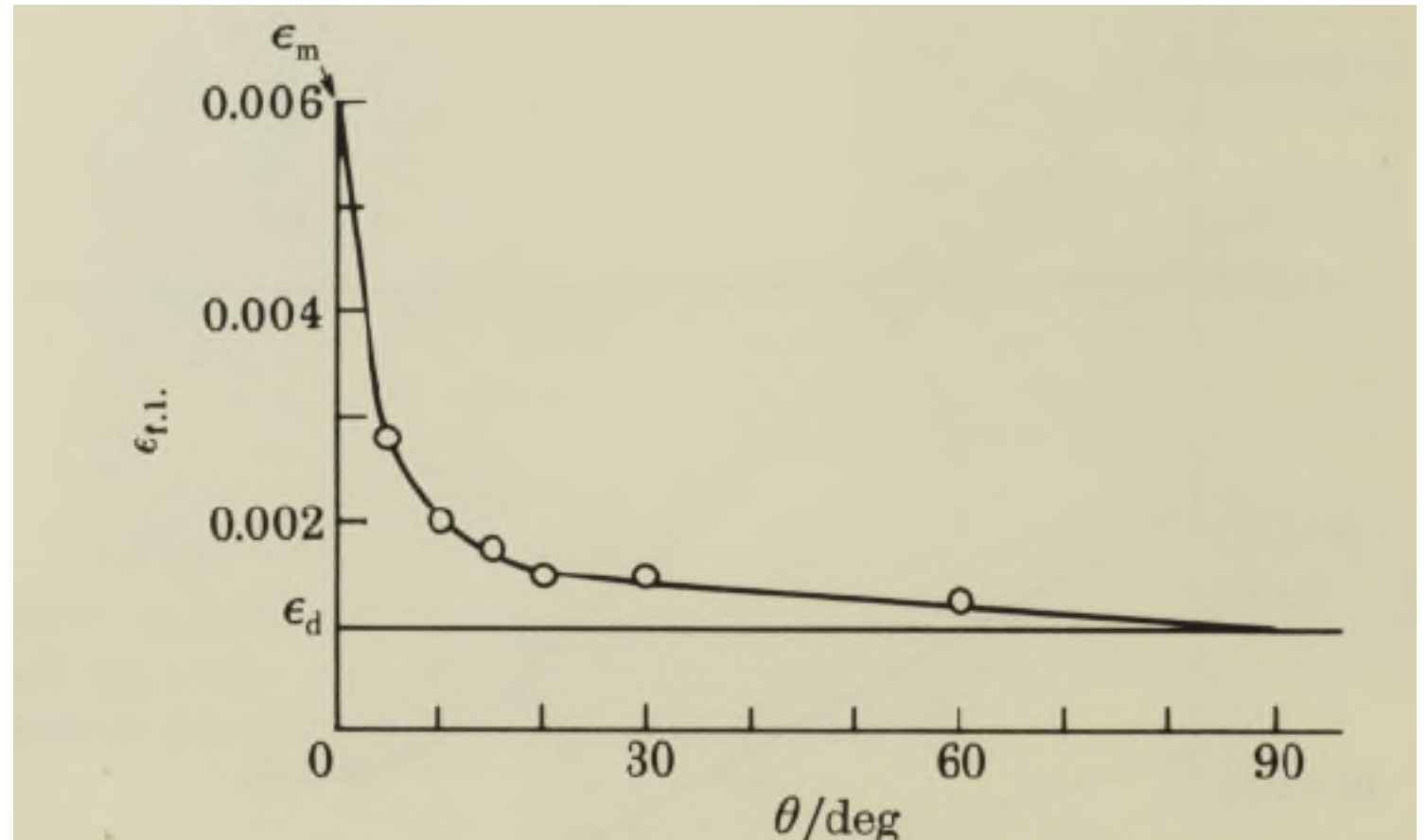
ϵ_{db} = Strain at initiation
of fiber/matrix debonding



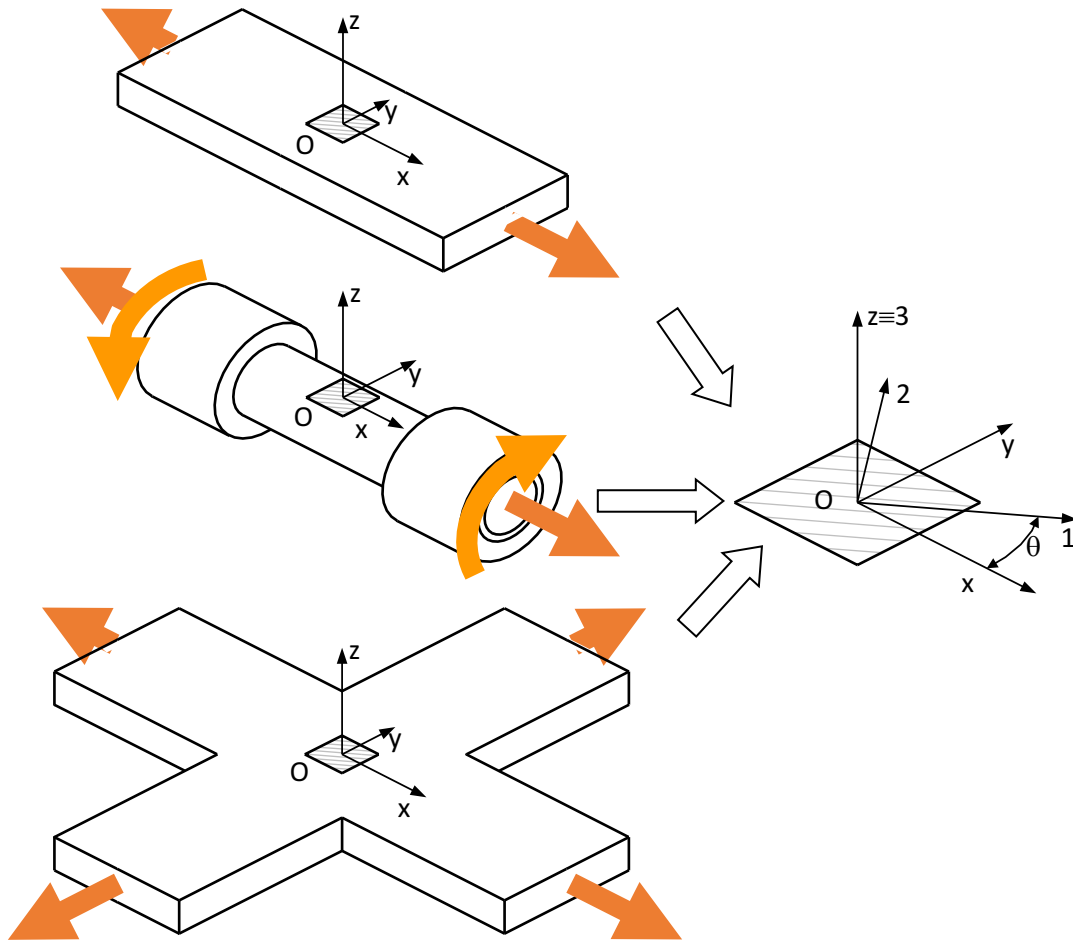
Variation of fatigue limit strain with the off-axis angle

ϵ_m = Fatigue limit of matrix (epoxy)

ϵ_d = Strain at initiation of fiber/matrix debonding



Further studies of biaxiality ratio effects using tubular specimens (Courtesy Marino Quaresimin, University of Padova)



Stress biaxiality ratios

$$\lambda_1 = \sigma_2 / \sigma_1 \quad (\text{normal})$$

$$\lambda_2 = \sigma_6 / \sigma_1 \quad (\text{shear})$$

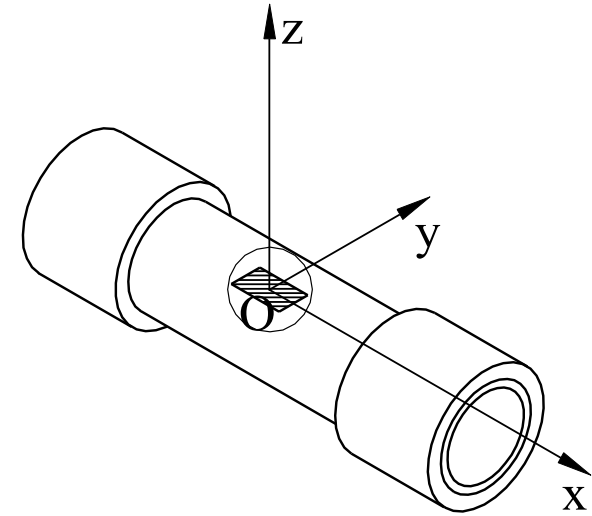
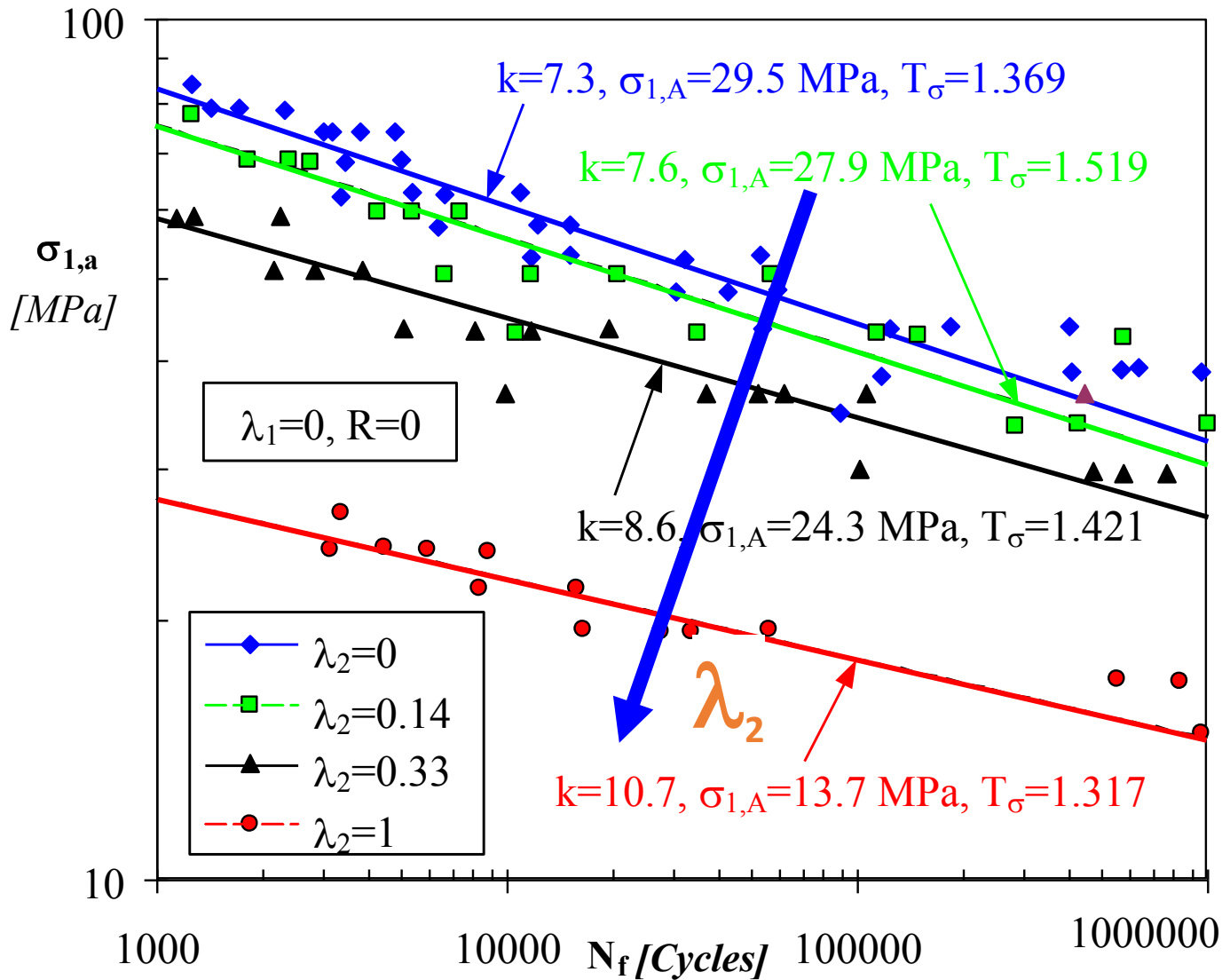
$$\lambda_{12} = \sigma_6 / \sigma_2 \quad (\text{shear})$$

$$\sigma_6 = \sigma_{12}$$

Most suited
with tubular
specimens



Effect of shear biaxiality ratio λ_2



Glass/Polyester tubular specimen (Tension-Torsion)

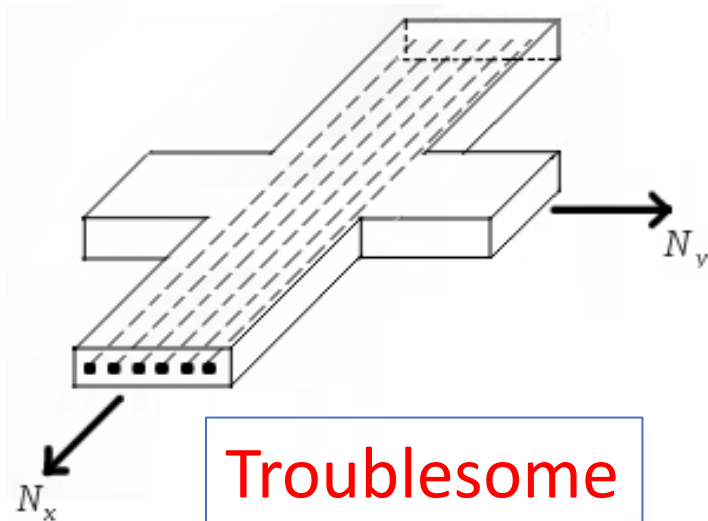
$$\lambda_2 = \sigma_6 / \sigma_1$$

Strong effect of λ_2

Specimen geometry for multiaxial testing

Cruciform specimen,

$$\sigma_6 = 0 \quad \lambda_2 = 0 \quad \lambda_{12} = 0$$



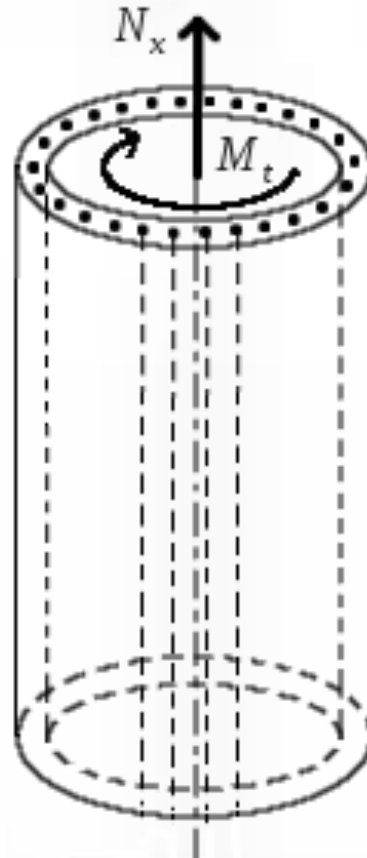
Troublesome Specimen!

$$\lambda_1 = \sigma_2 / \sigma_1$$

$$\lambda_2 = \sigma_6 / \sigma_1$$

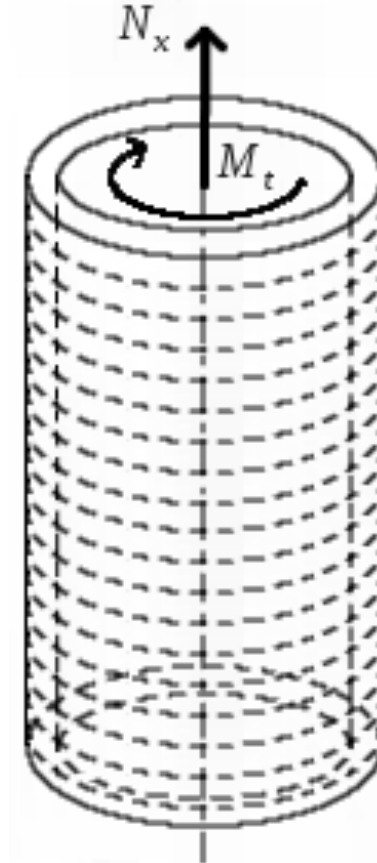
$$\lambda_{12} = \sigma_6 / \sigma_2$$

Tubular specimen, $\theta = 0^\circ$



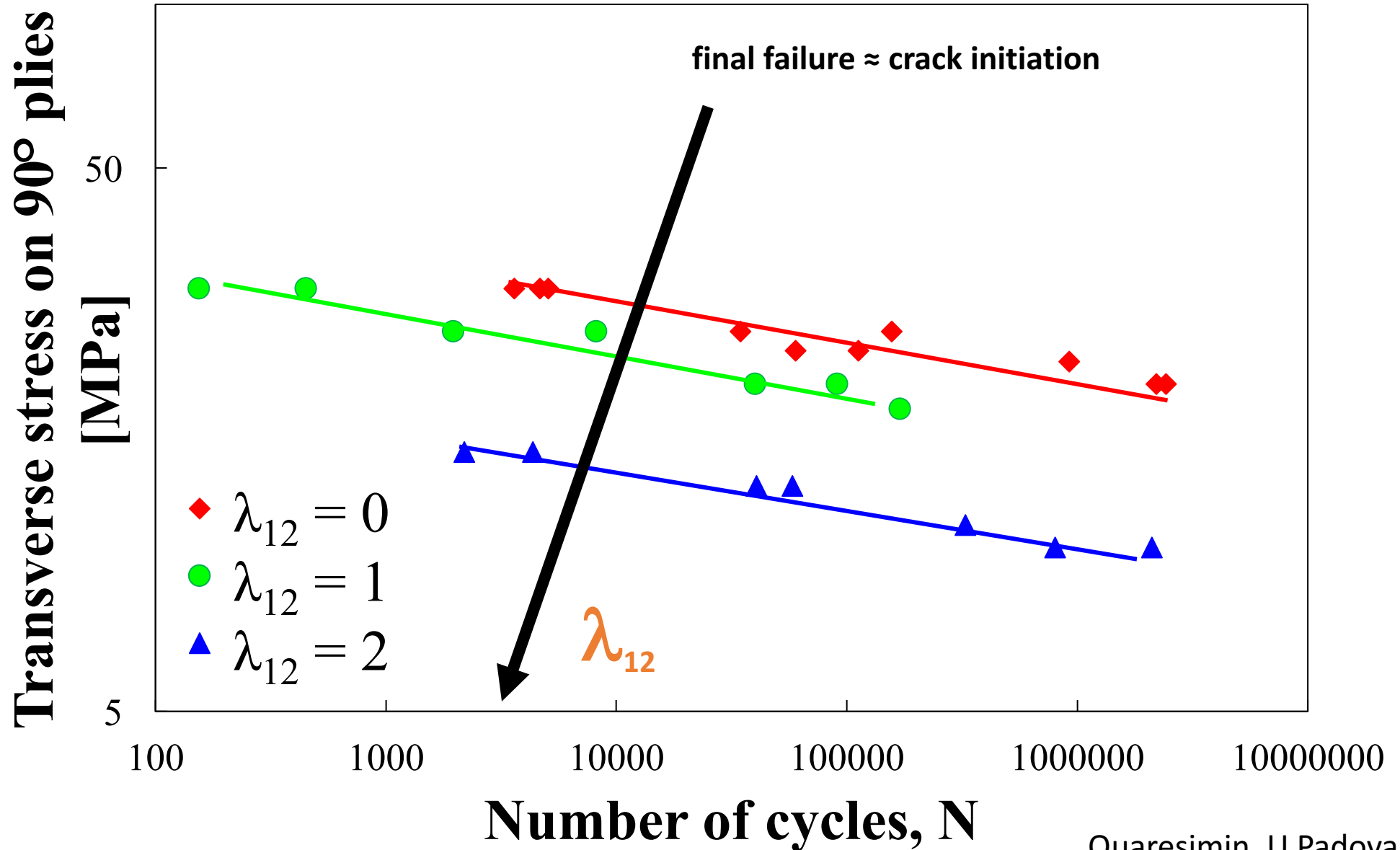
$$\begin{aligned} \sigma_2 &= 0 \quad \lambda_1 = 0 \quad \lambda_{12} = \infty \\ \lambda_2 &= 0 \quad \text{pure tension} \\ \lambda_2 &= \infty \quad \text{pure torsion} \\ \lambda_2 &\neq 0 \quad \text{tens+tors} \end{aligned}$$

Tubular specimen, $\theta = 90^\circ$



$$\begin{aligned} \sigma_1 &= 0 \quad \lambda_1 = \infty \quad \lambda_2 = \infty \\ \lambda_{12} &= 0 \quad \text{pure tension} \\ \lambda_{12} &= \infty \quad \text{pure torsion} \\ \lambda_{12} &\neq 0 \quad \text{tens+tors} \end{aligned}$$

Fatigue curves (σ_6 on σ_2) at R=0 $[90]_4$ tubes

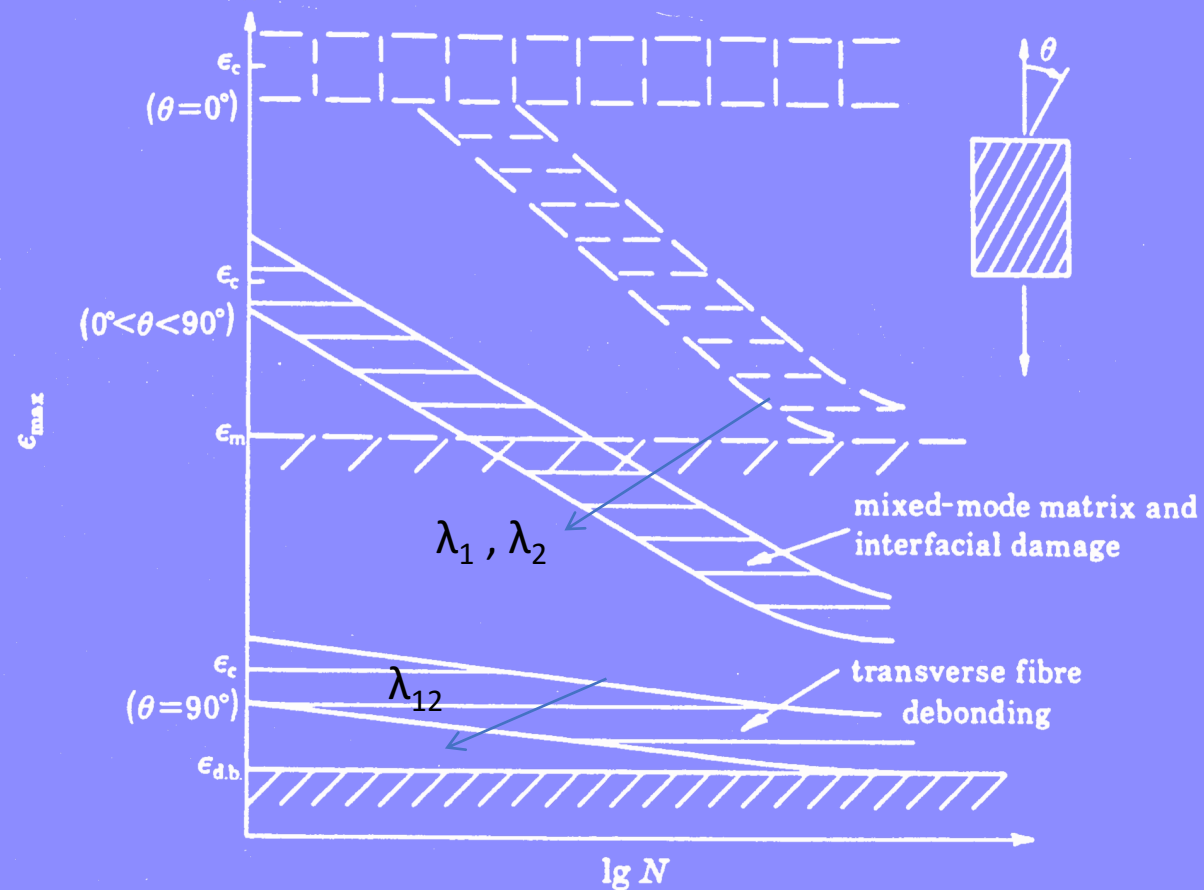


Transverse cracks observed
In 90° tubes under tension σ_2
and torsion σ_{12}

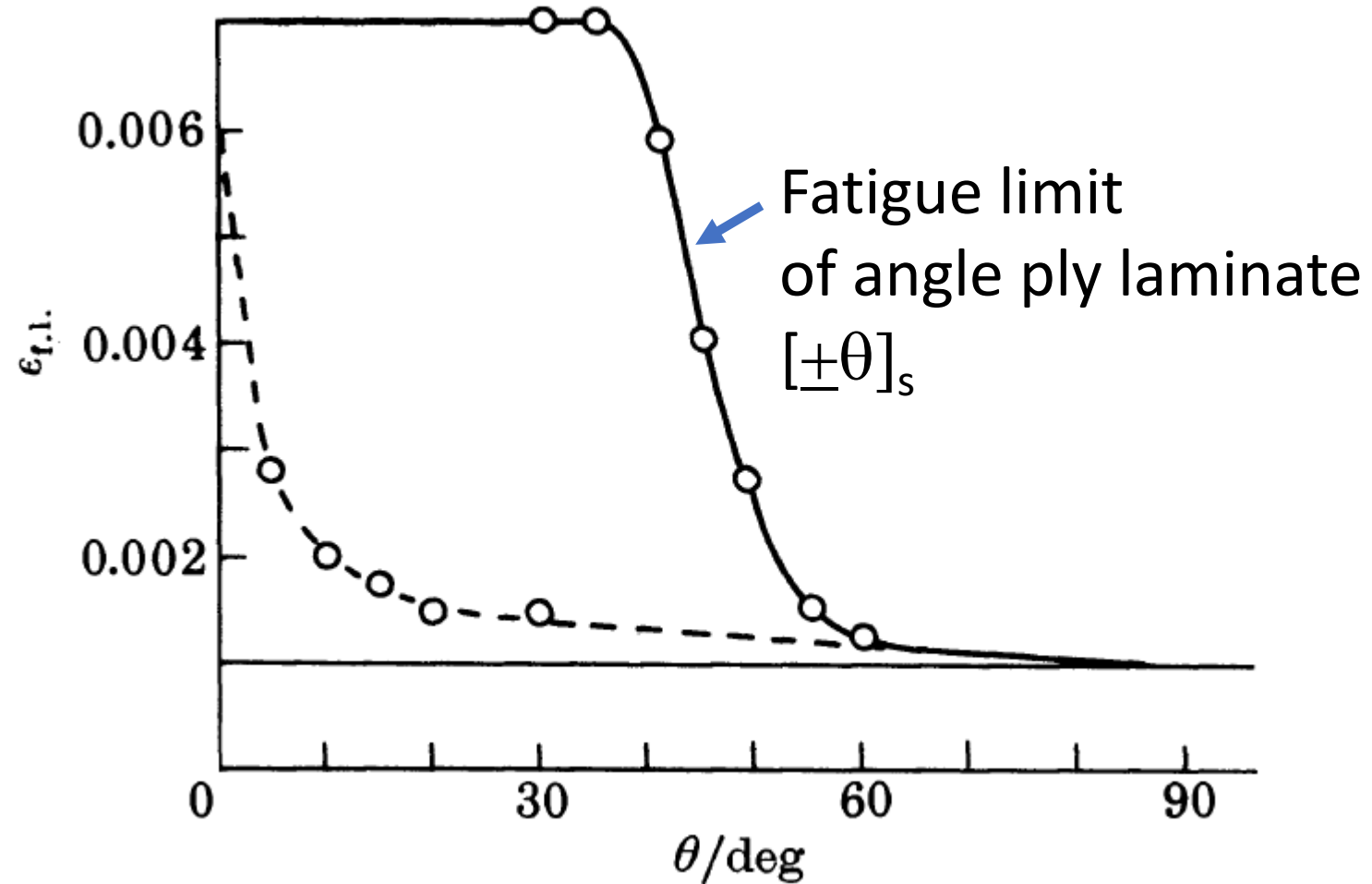


Baseline fatigue life diagram modified by λ_1 , λ_2 and λ_{12}

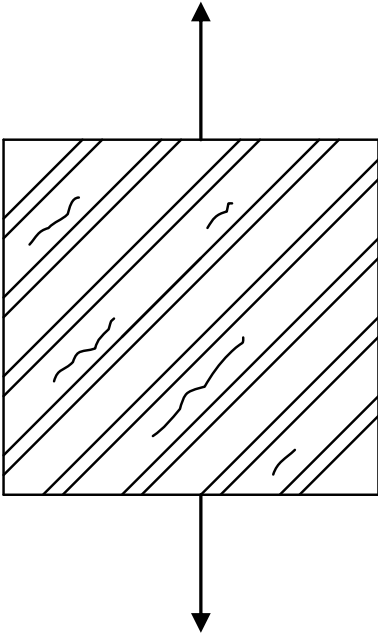
Fatigue Life Diagram Off-Axis Loading of Unidirectional Composites



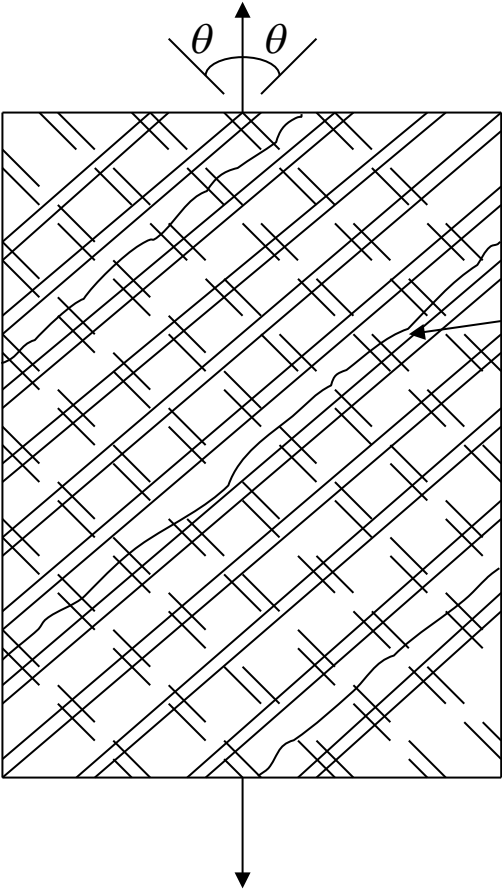
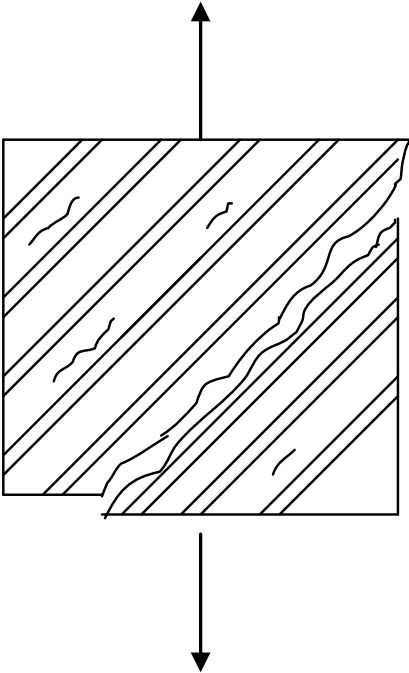
Fatigue limit strain in UD and angle ply laminate with off-axis angle



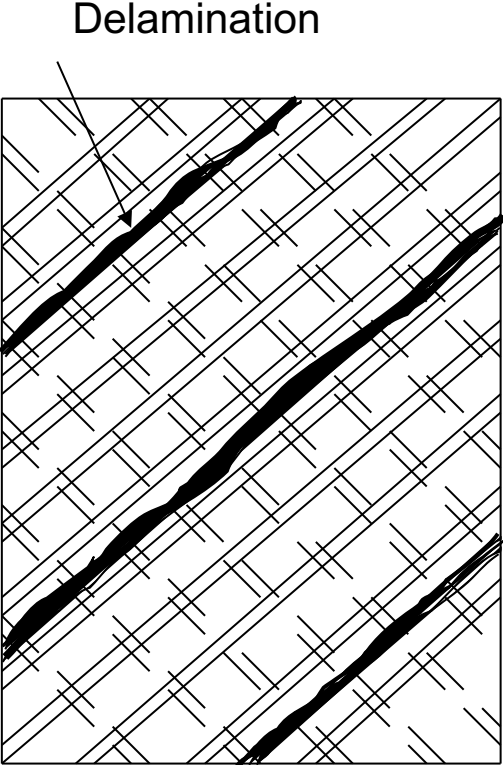
Off-axis loading of UD vs. Angle ply laminates: Damage mechanisms



UD Composite

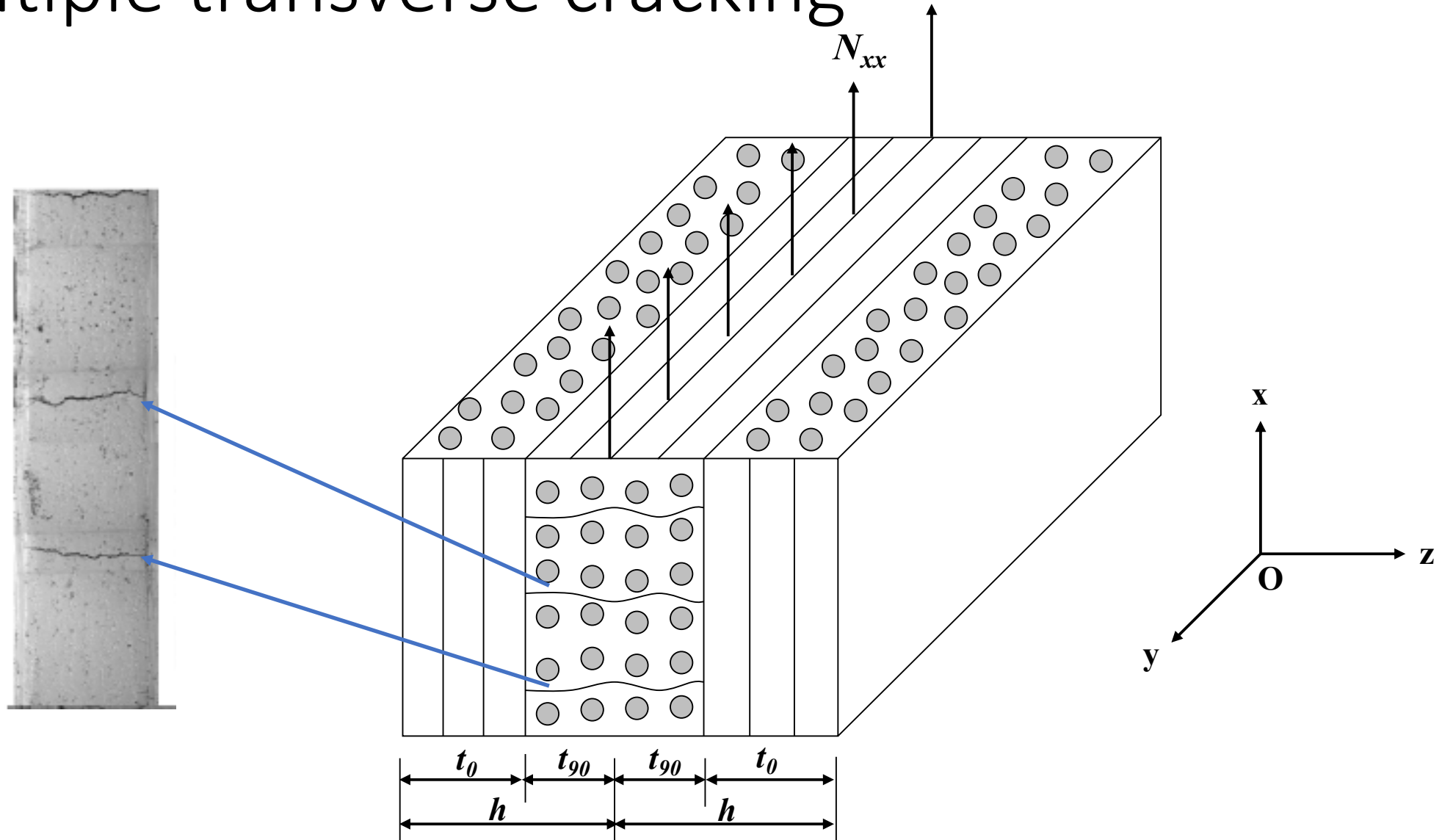


Matrix crack

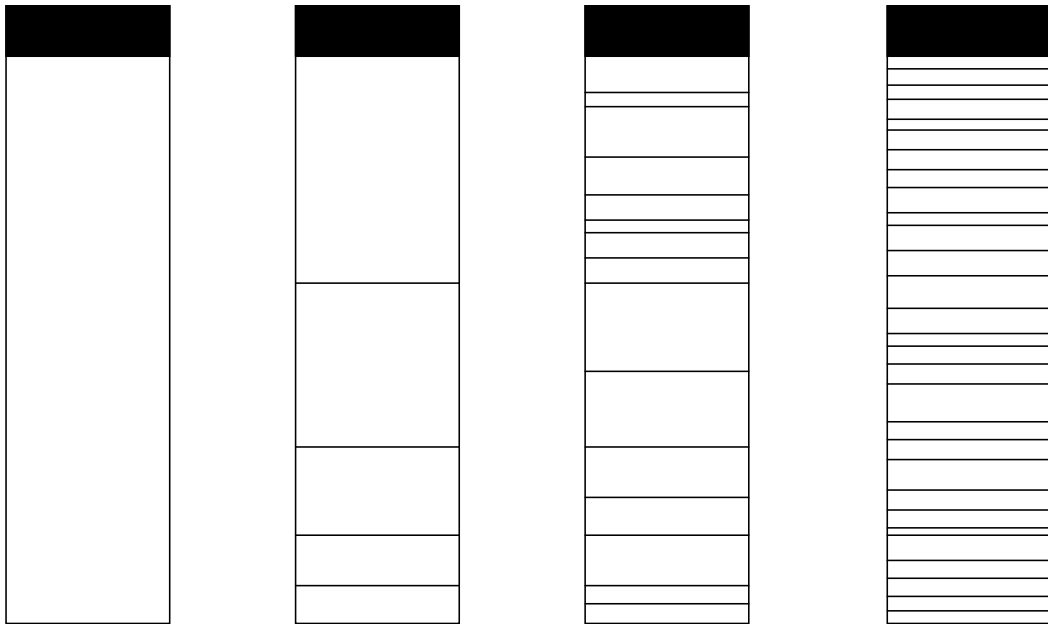


Angle Ply Laminate

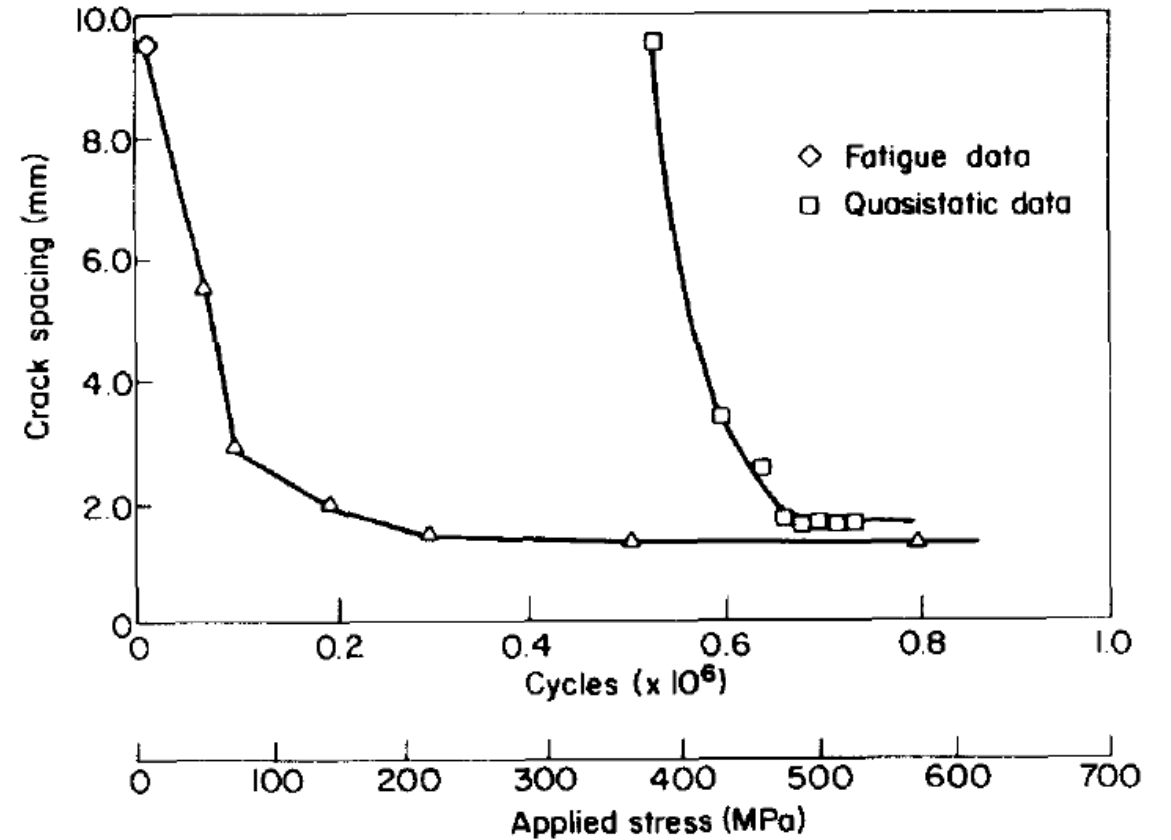
Cross Ply Laminates - Damage mechanism: Multiple transverse cracking



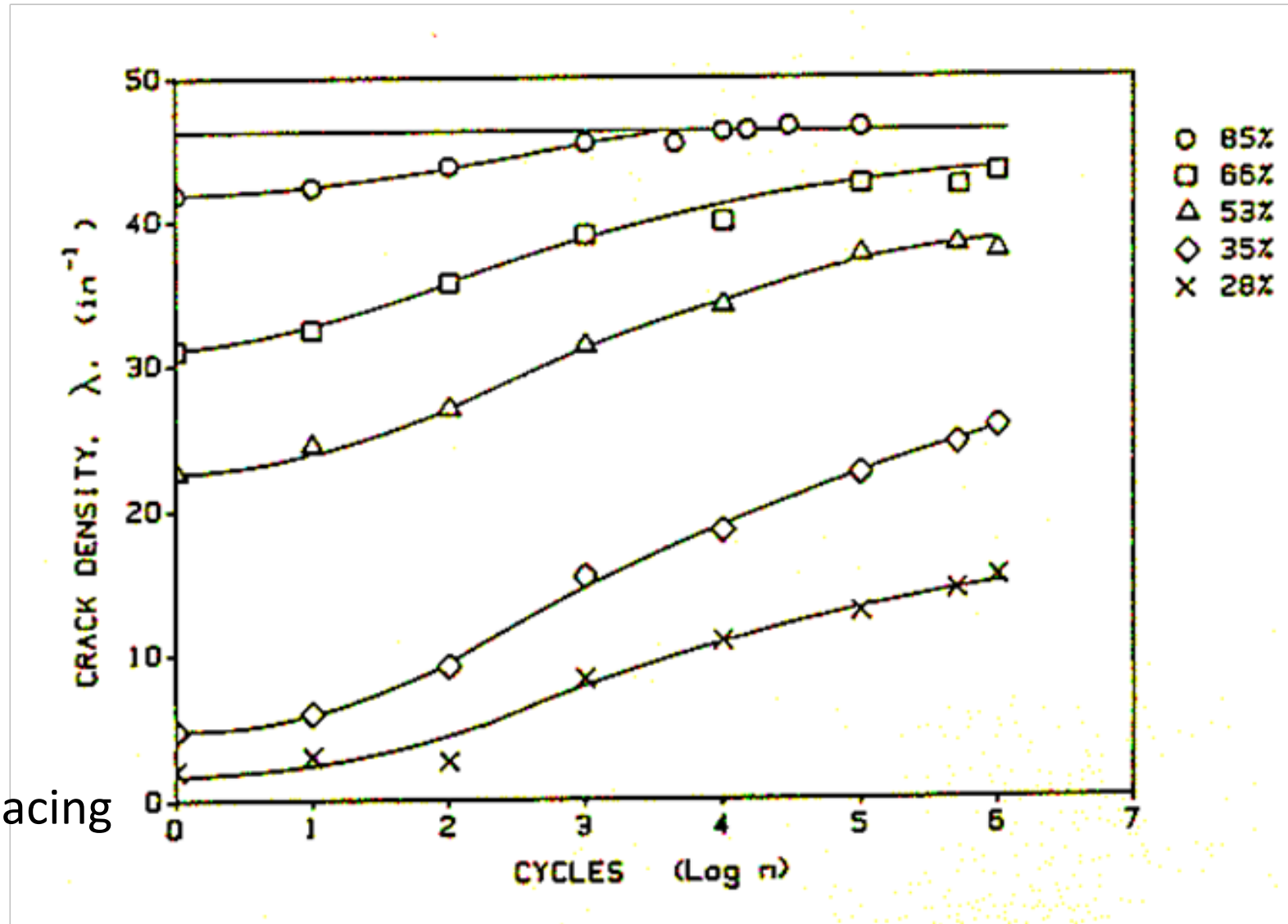
Progression of multiple transverse cracking



Transverse cracks with increasing stress or number of cycles



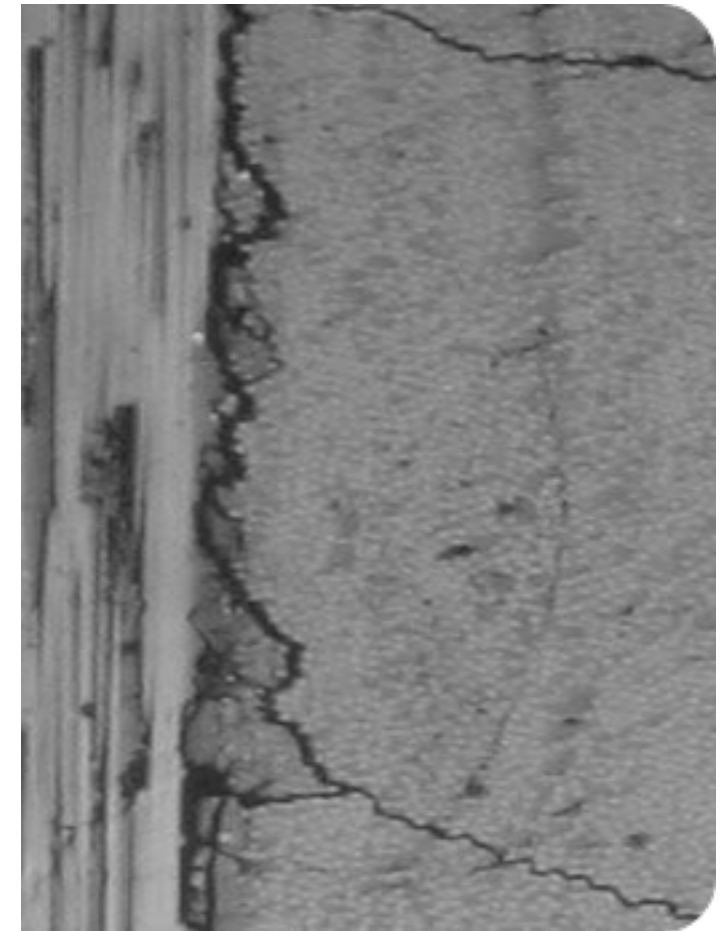
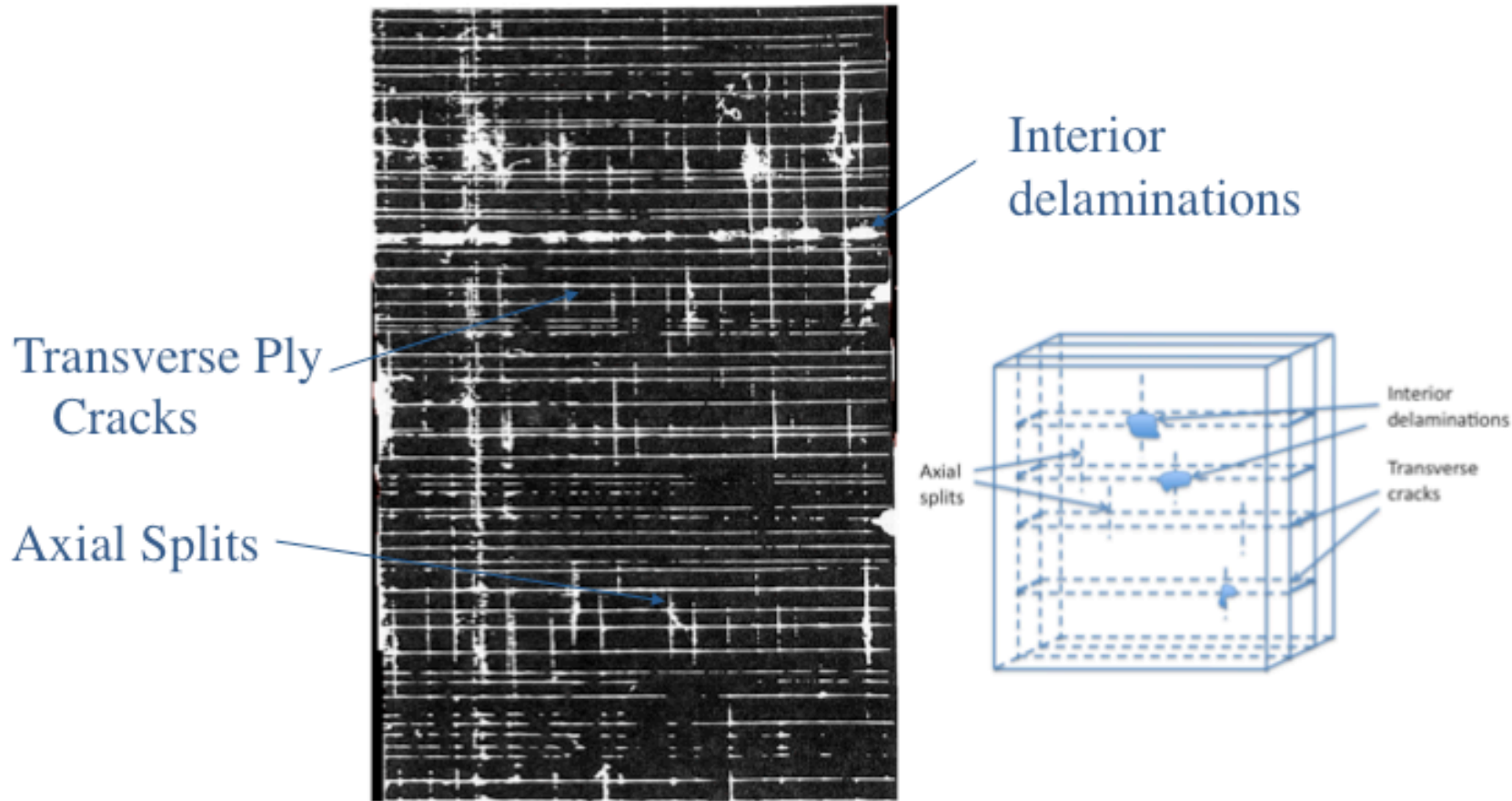
Progression of transverse cracking with max fatigue load level



% of failure load

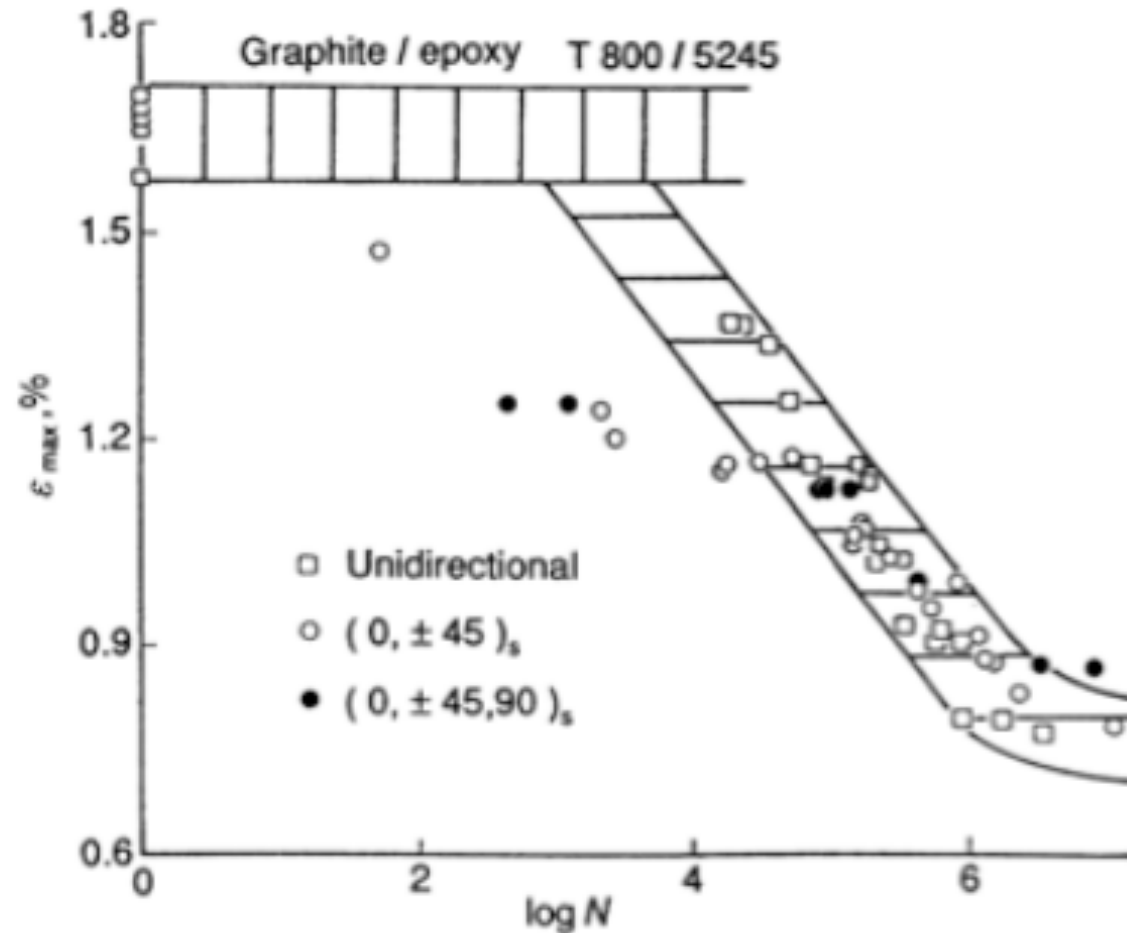
Crack density =
Inverse of crack spacing

All damage mechanisms under fatigue of cross ply laminates



Delamination caused by transverse crack deflection (Varna, LTU, Sweden)

FLD of laminates related to the baseline FLD of UD composites



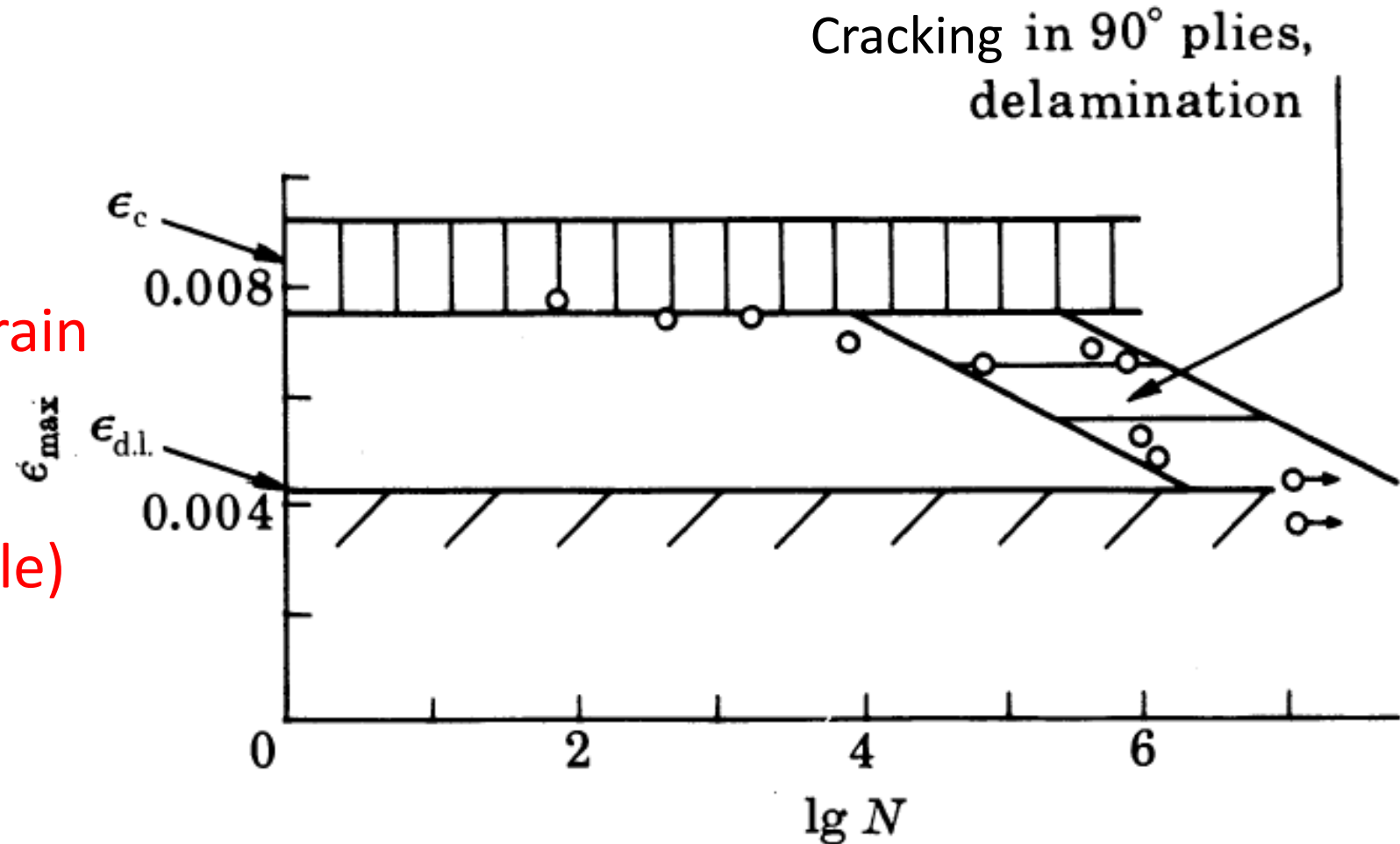
Observations:

- Region II of FLD of laminates deviates to left (earlier failure) caused by additional damage mechanisms.
- Region I exists in laminate FLDs if 0-degree plies are present.

FLD of a cross ply laminate

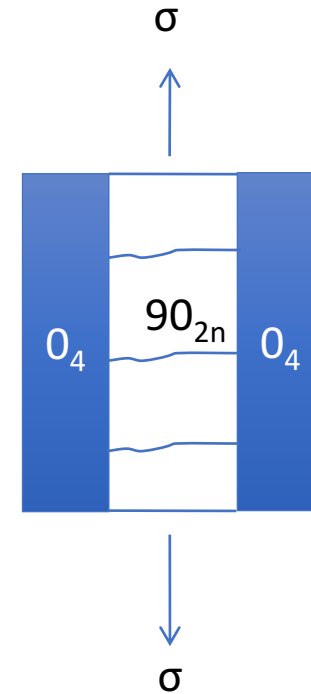
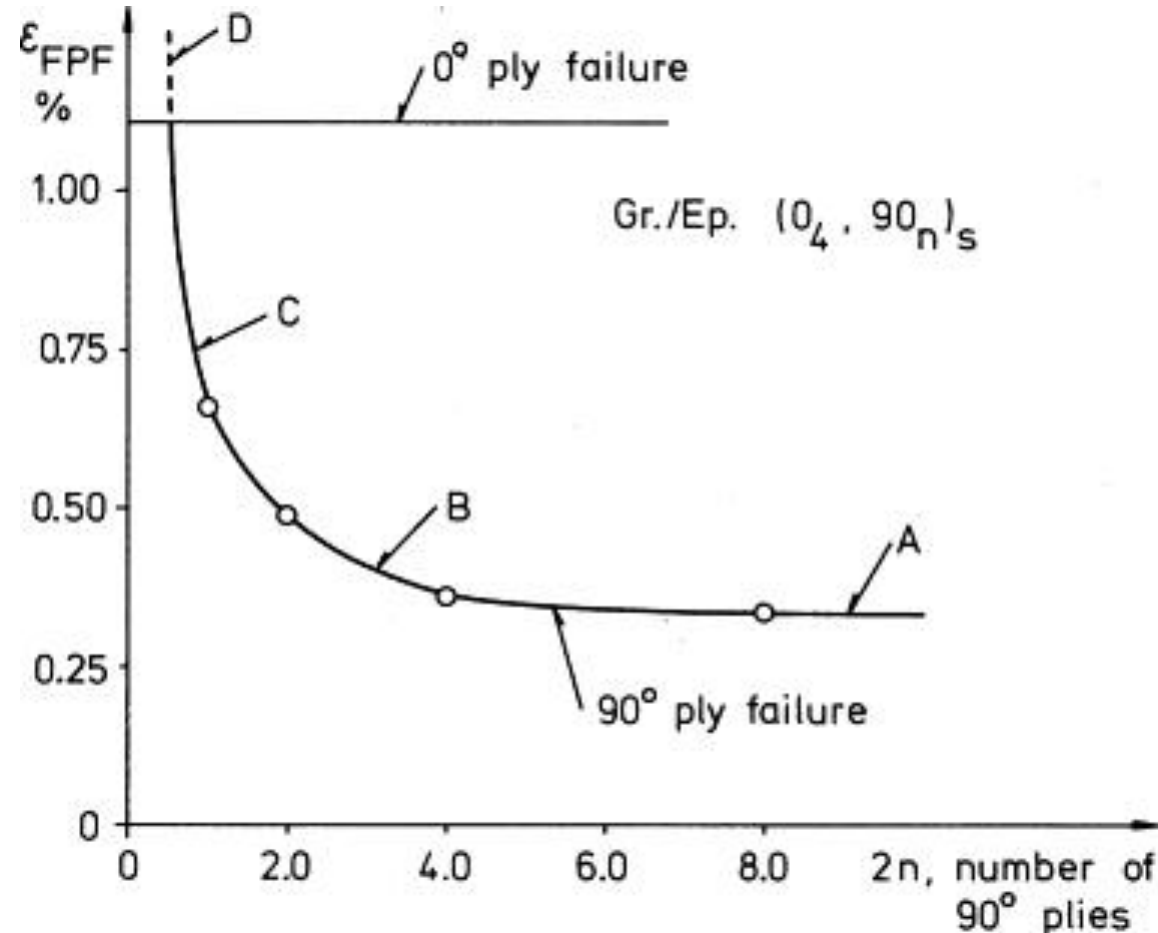
Note:

1. Region I decided by the fiber failure strain
2. Fatigue limit given by the first dissipative (irreversible) mechanism

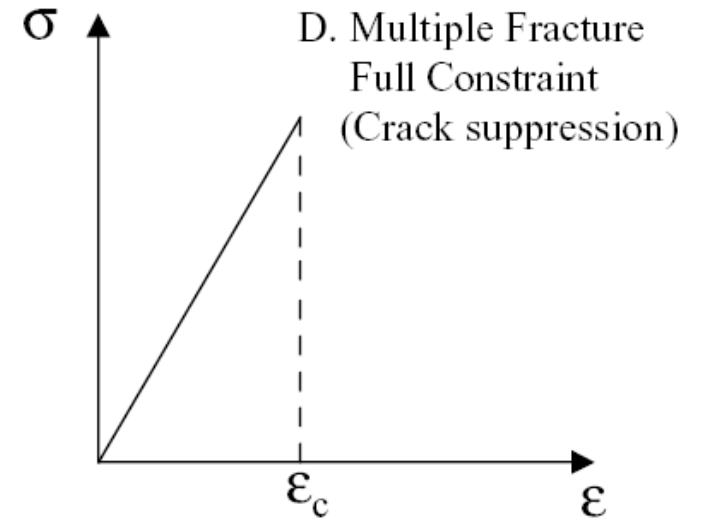
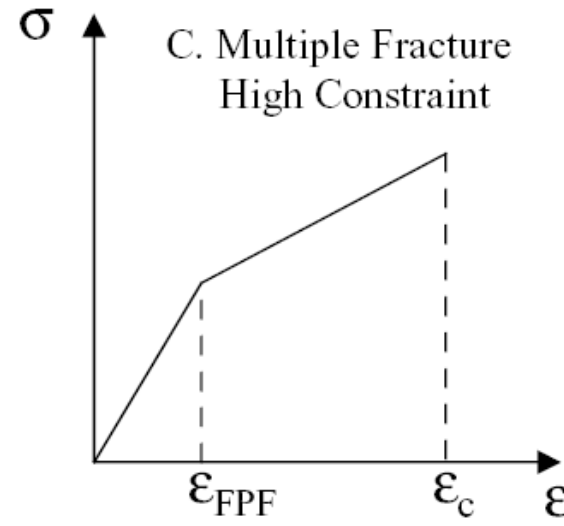
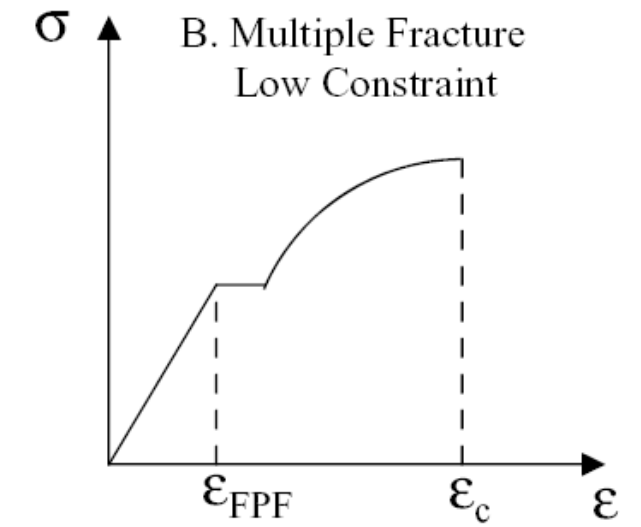
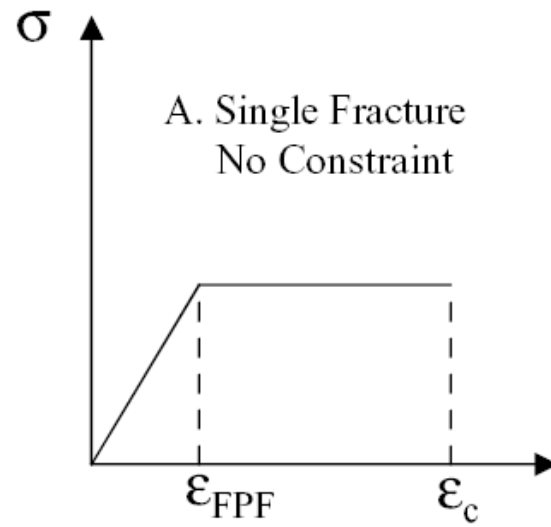
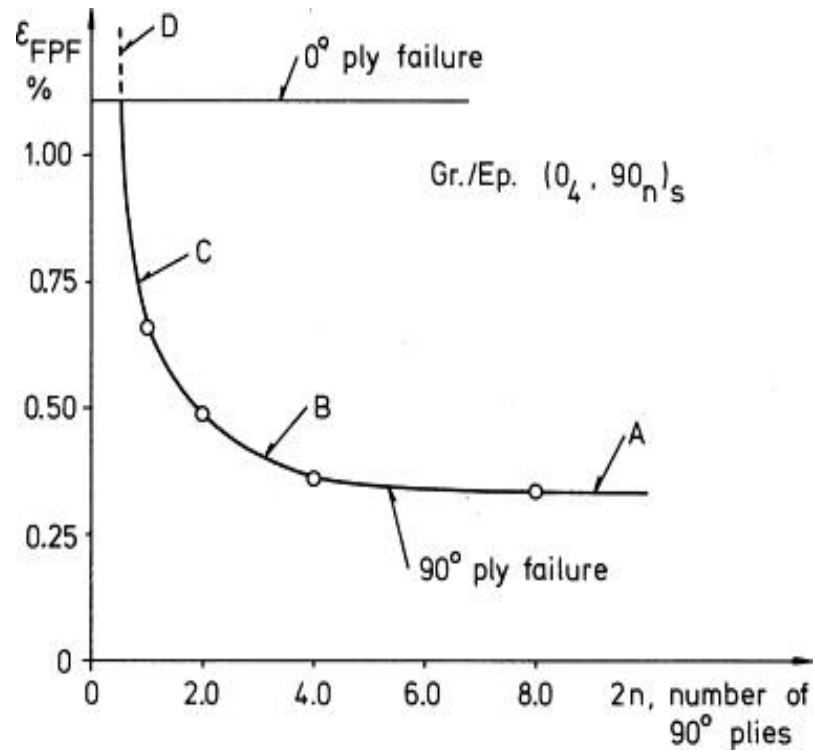


Data from Grimes, 1977

Fatigue limit of cross ply laminates: Strain to initiation of transverse cracking

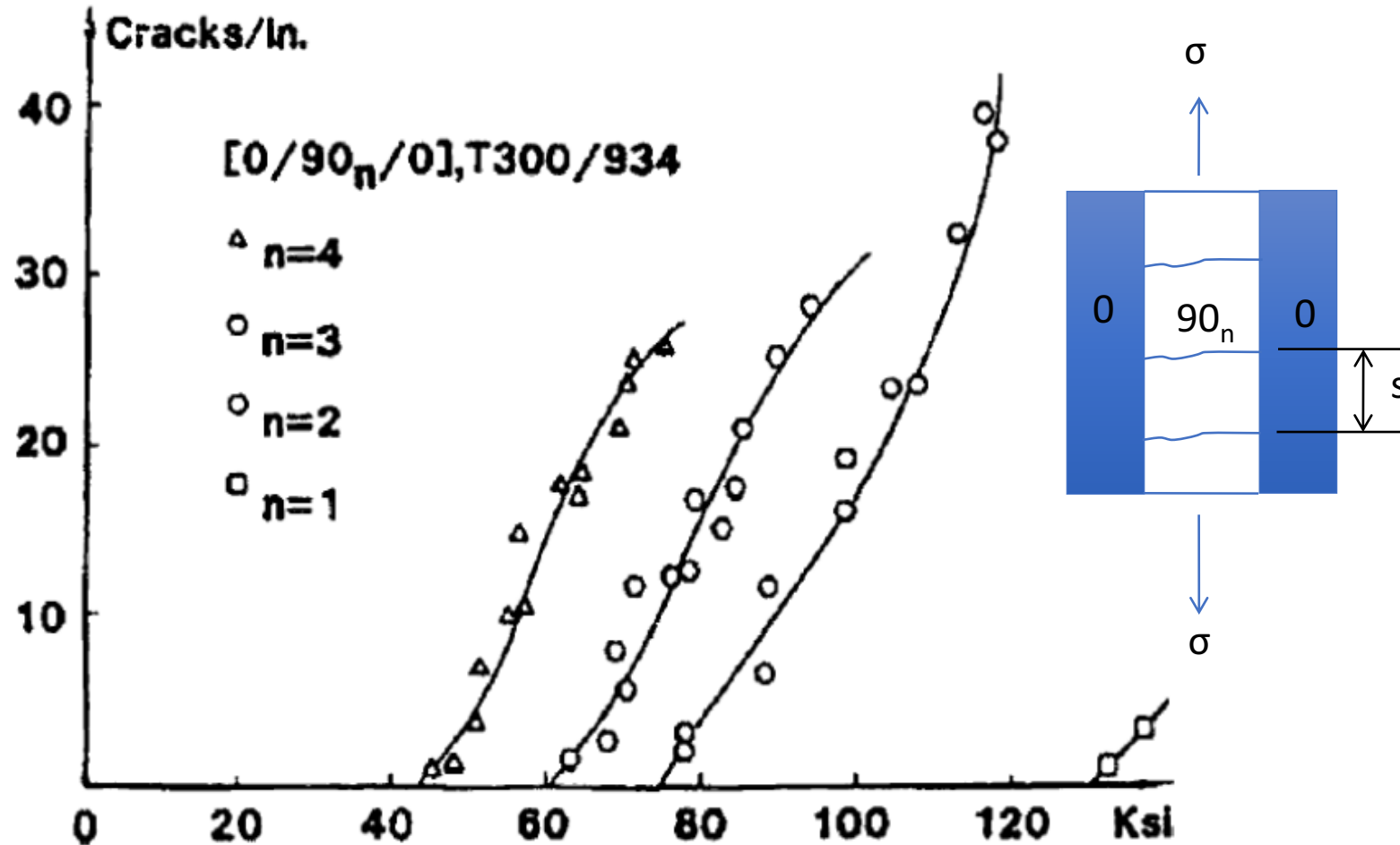


ϵ_{FPF} : laminate strain at which multiple cracking initiates

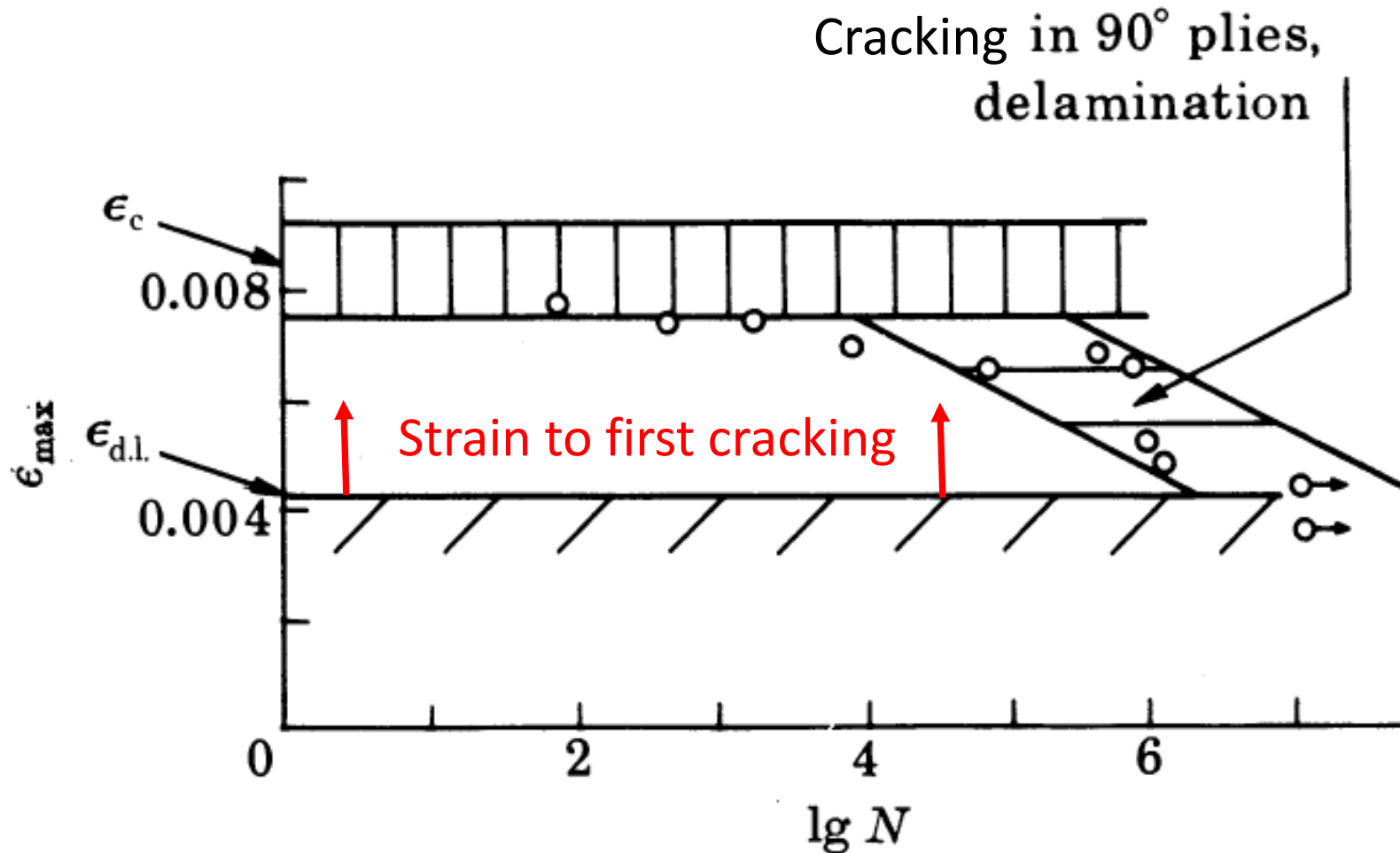


Note:
 Strain to initiation of transverse cracking can be increased by increasing stiffness of the “constraining” (0-deg) plies or by decreasing 90-deg ply thickness

Effect of constraint on evolution of crack density



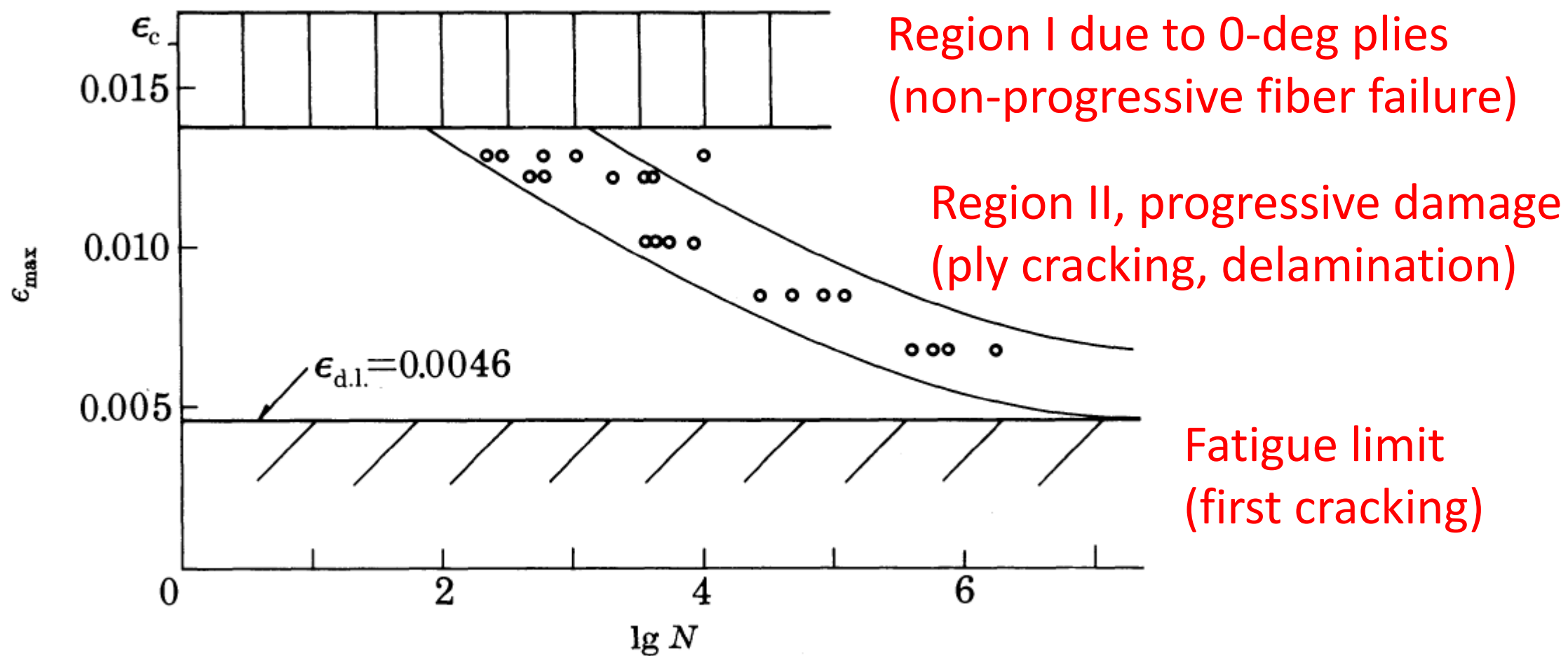
Enhancing the fatigue limit of laminates by increasing the strain to first cracking



Technological solution:
Make transverse plies
(off-axis plies, generally)
thin, thereby suppressing
first ply cracking

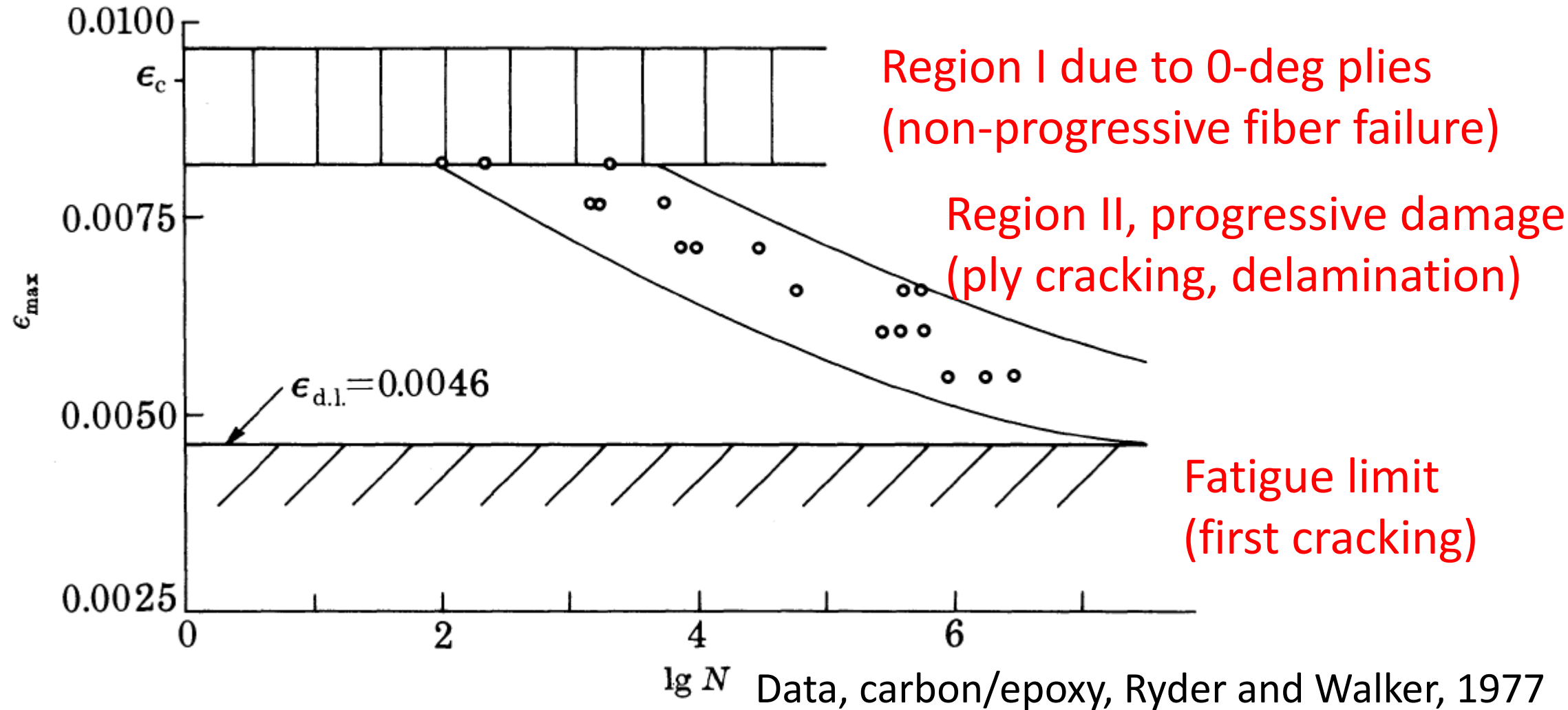
Is being done!

FLDs of other laminates, $[0/\pm 45/90]_s$

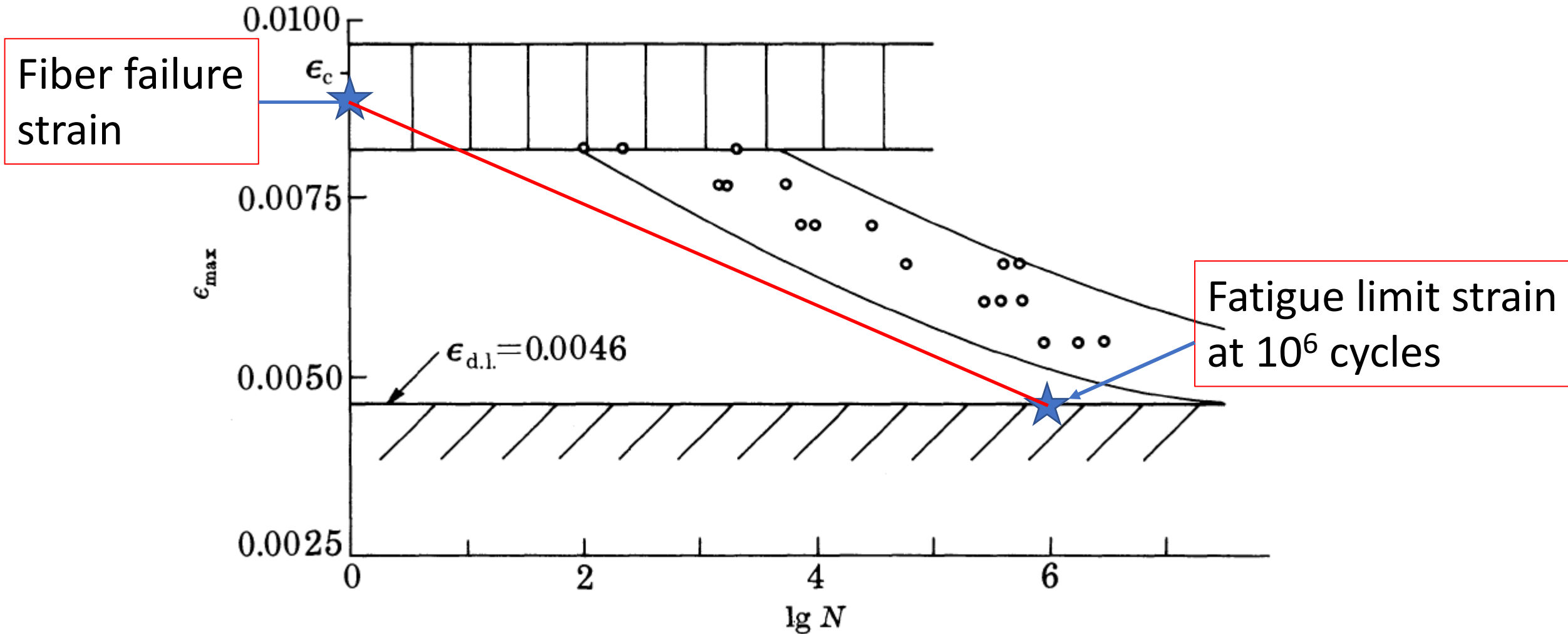


Data: glass/epoxy Hahn and Kim, 1976

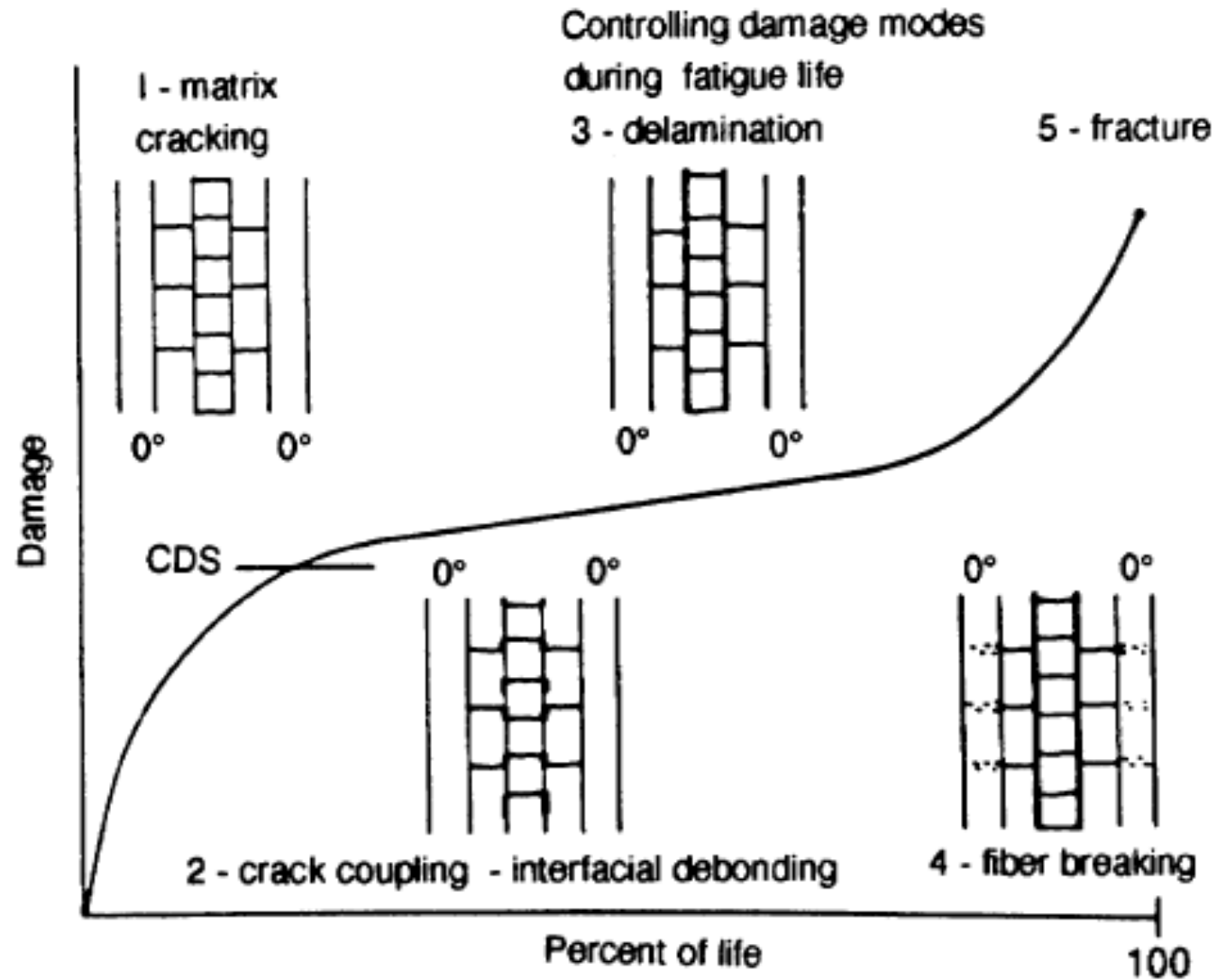
FLDs of other laminates, [0/45/90/-45₂/90/45/0]_s



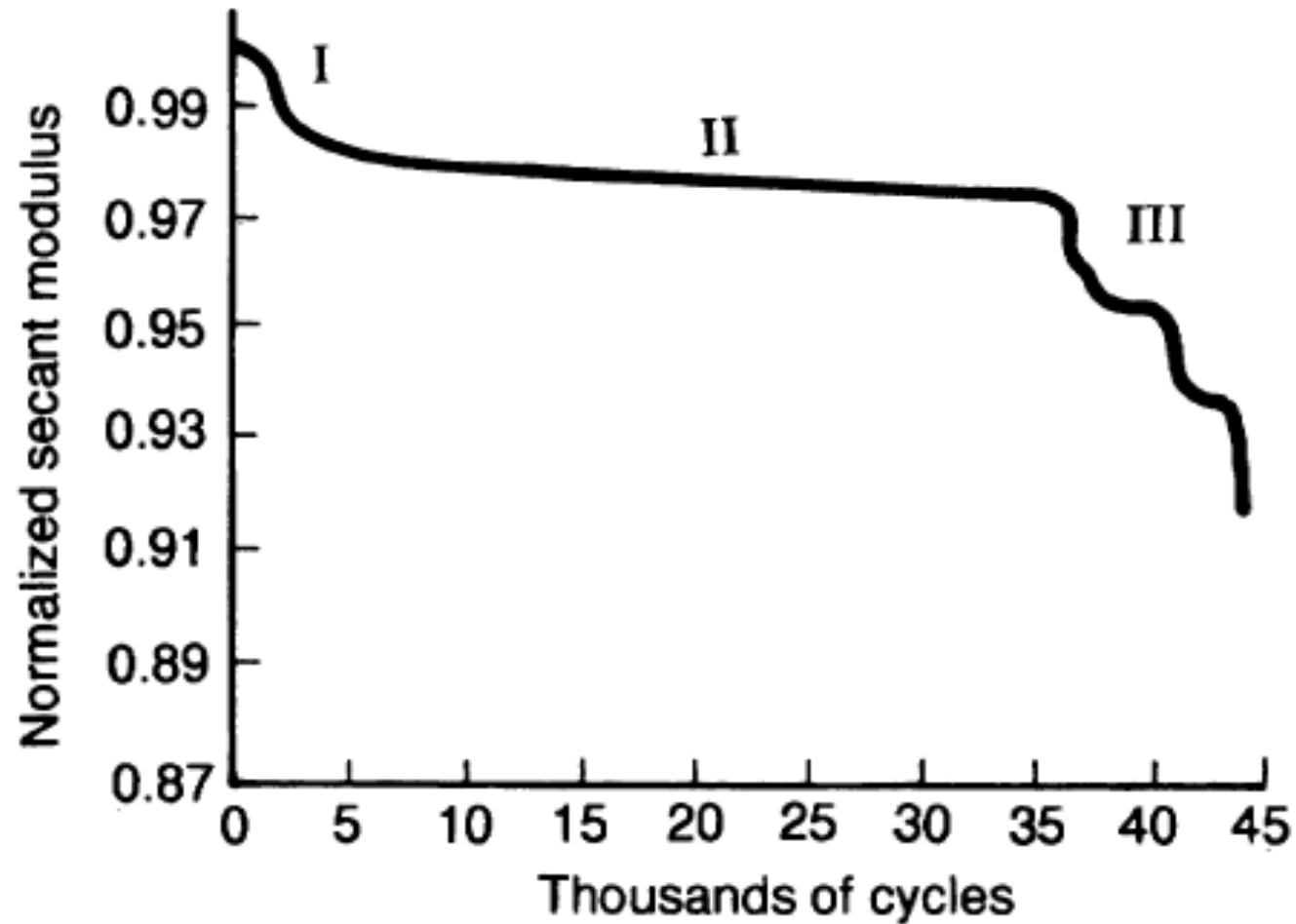
A “quick estimate” procedure for fatigue life of laminates



General features of fatigue damage in laminates

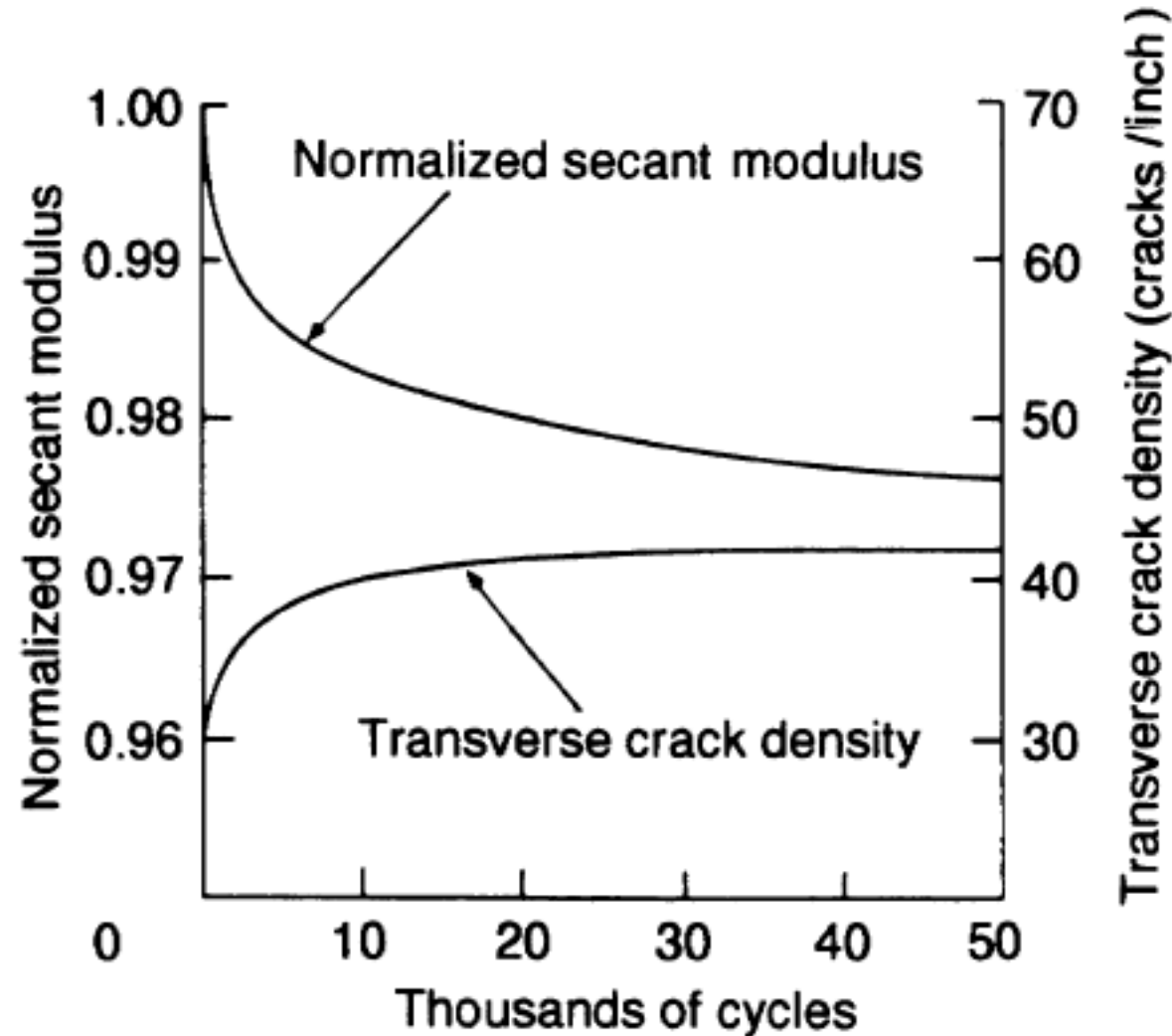


Stiffness reduction reflecting fatigue damage



Jamison, et al, 1984

“Critical” state can be stiffness reduction, not “failure by separation”

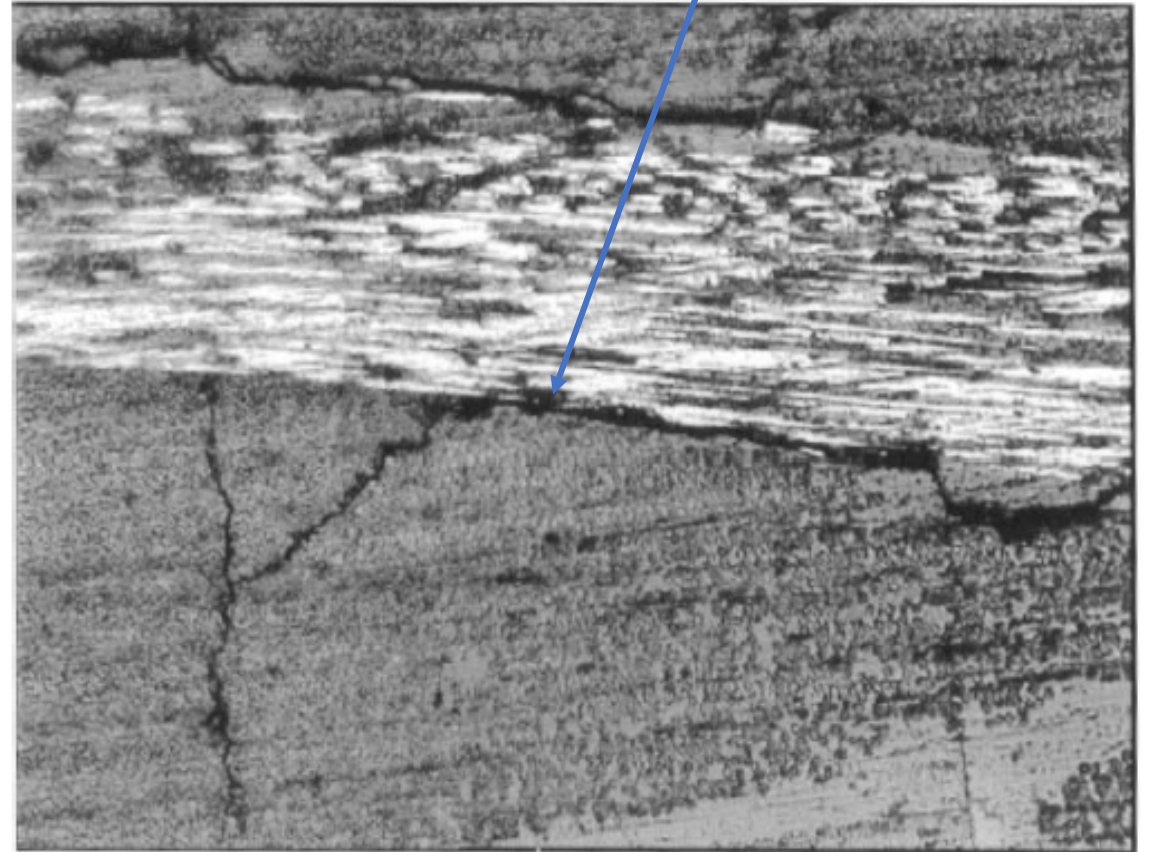
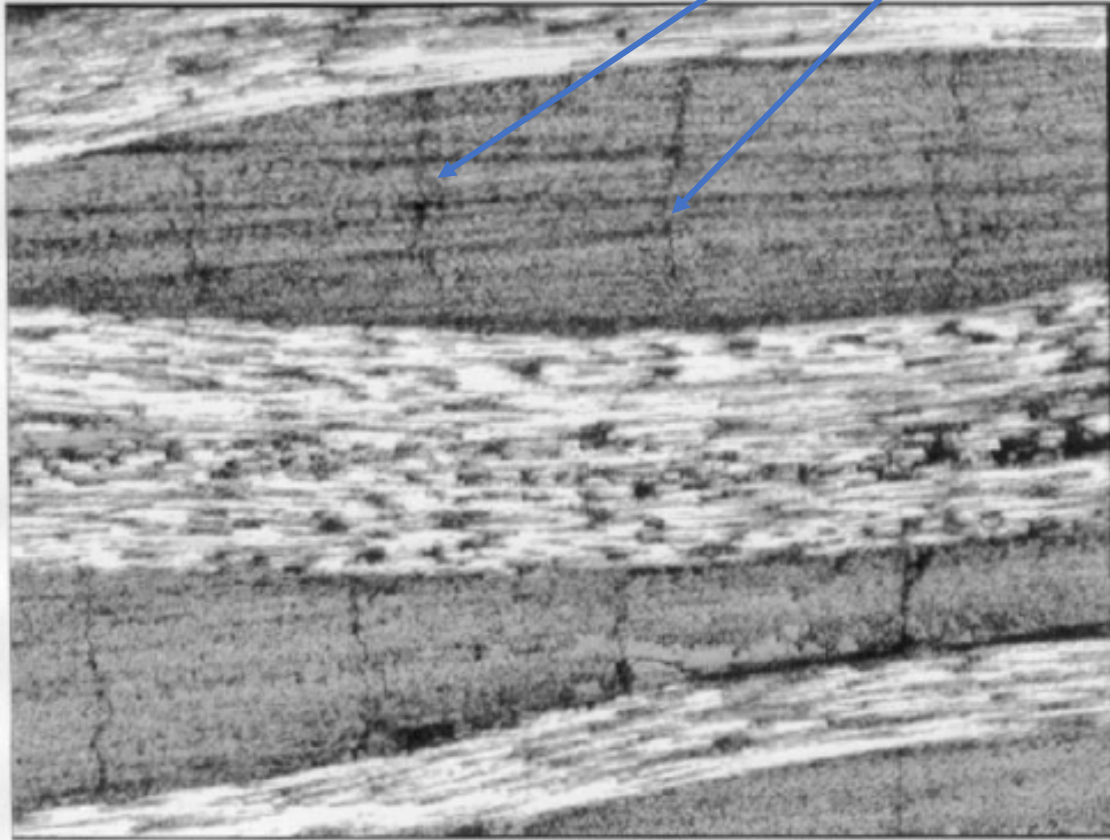


Jamison, et al, 1984

Other fiber architectures: Woven fabric composites

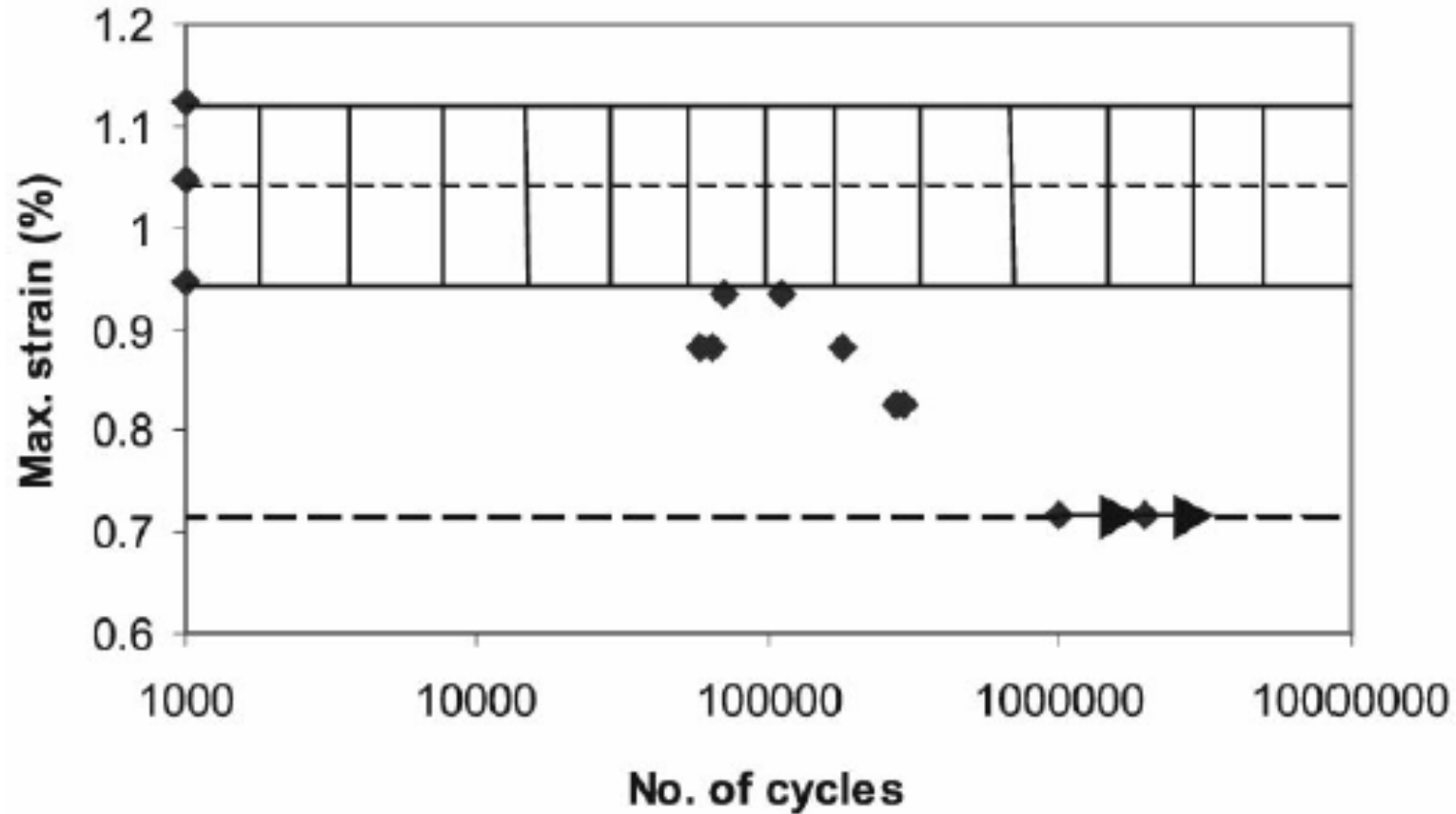
Intra-bundle cracks

Inter-bundle cracking



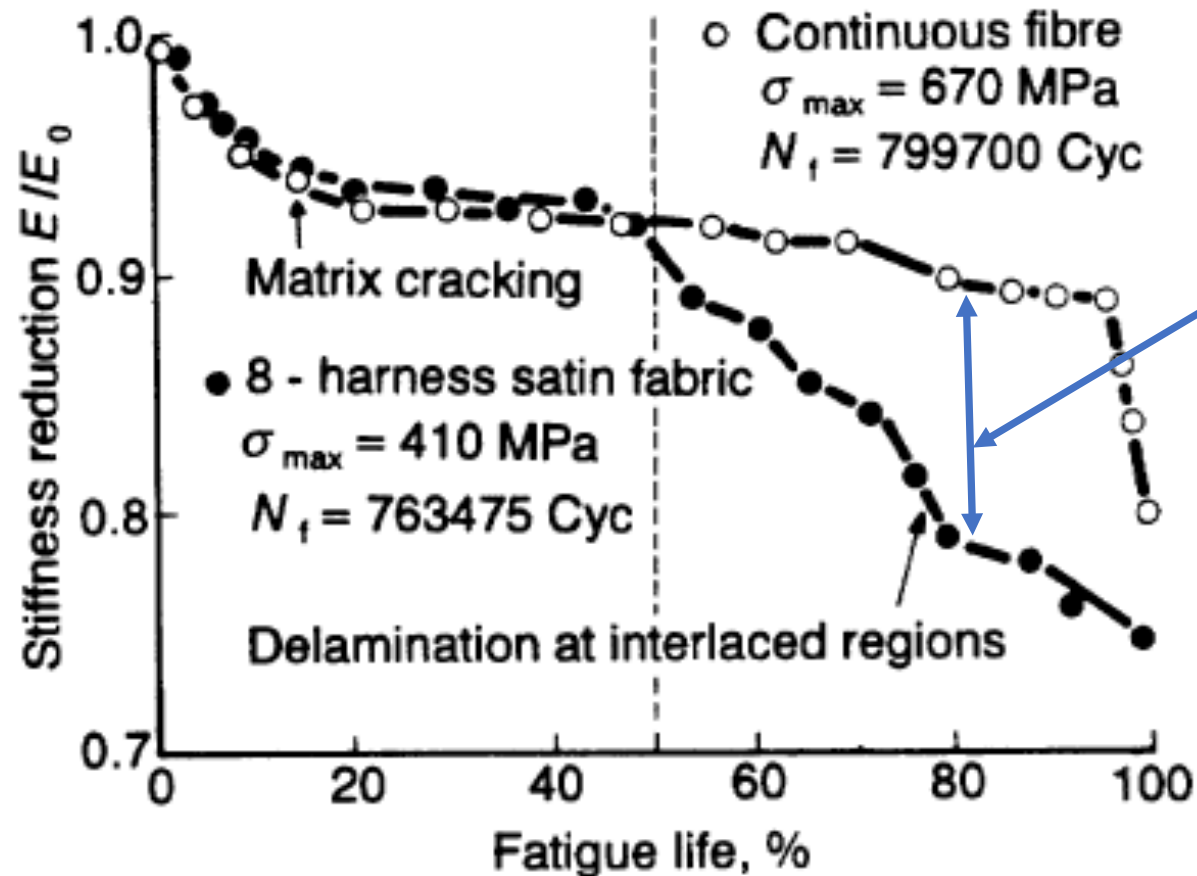
5-harness satin weave carbon/PR500 (Pratt Whitney), Kumar-Talreja, 2000

Fatigue Life Diagram: Woven fabric Composite



5-harness satin weave carbon/PR500 (Pratt Whitney), Kumar-Talreja, 2000

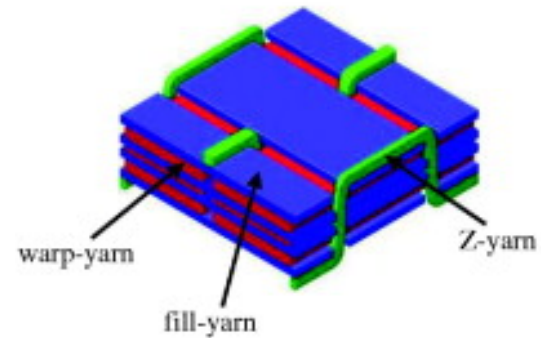
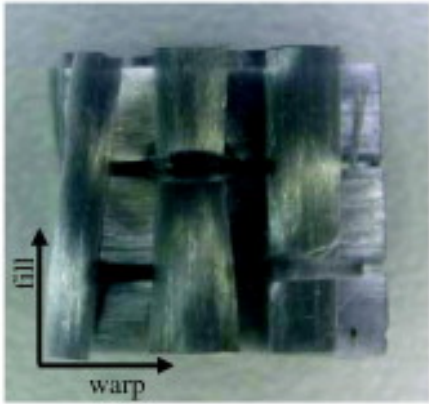
Fatigue damage, continuous fiber vs. woven fabric composites



Additional degradation due to more extensive delamination in woven fabric composites

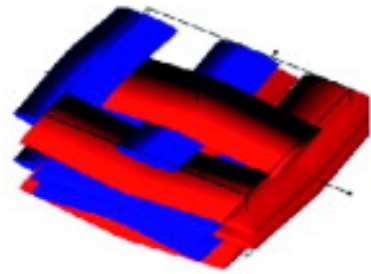
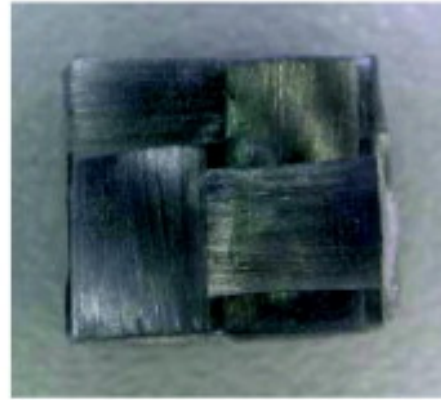
Fiber architectures driven by cost

(a)



Non-crimp 3D
orthogonal weave,
E-glass

(b)

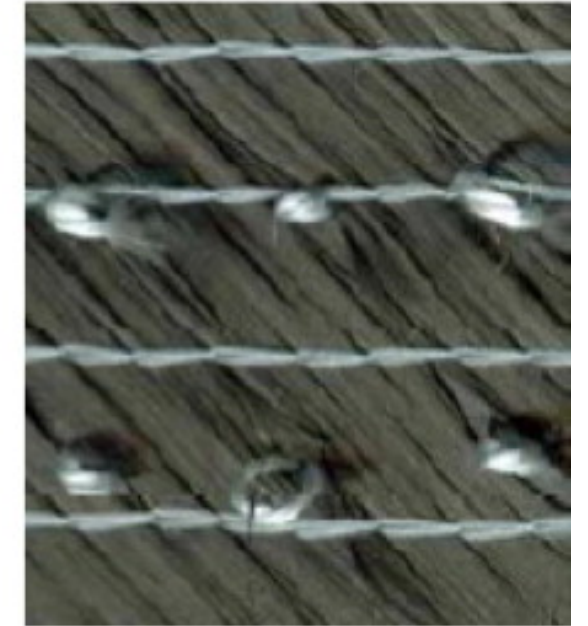


Plane weave,
E-glass



(a)

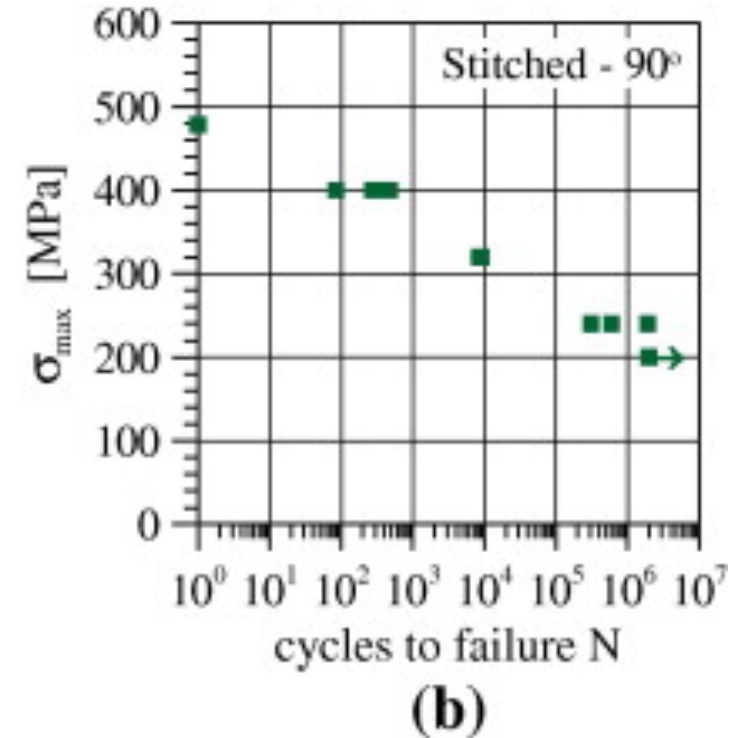
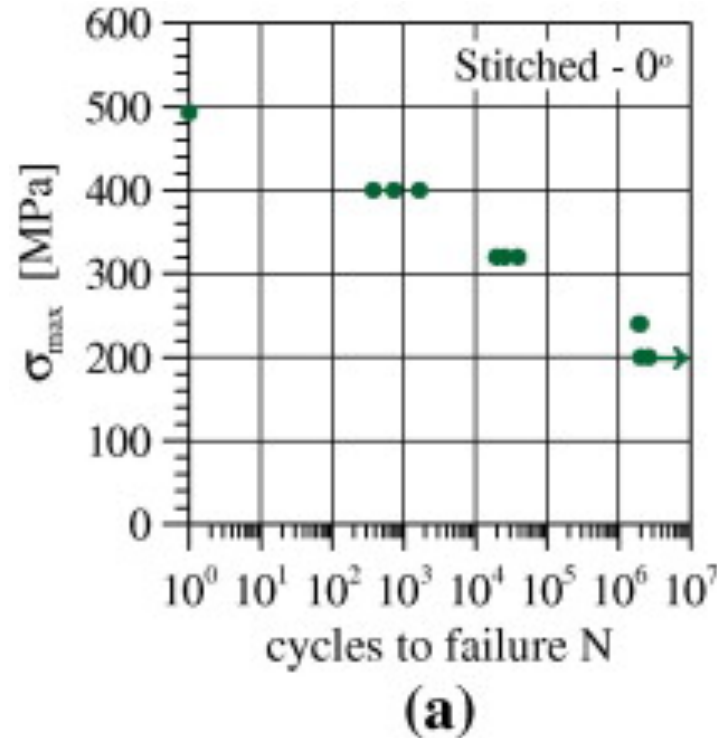
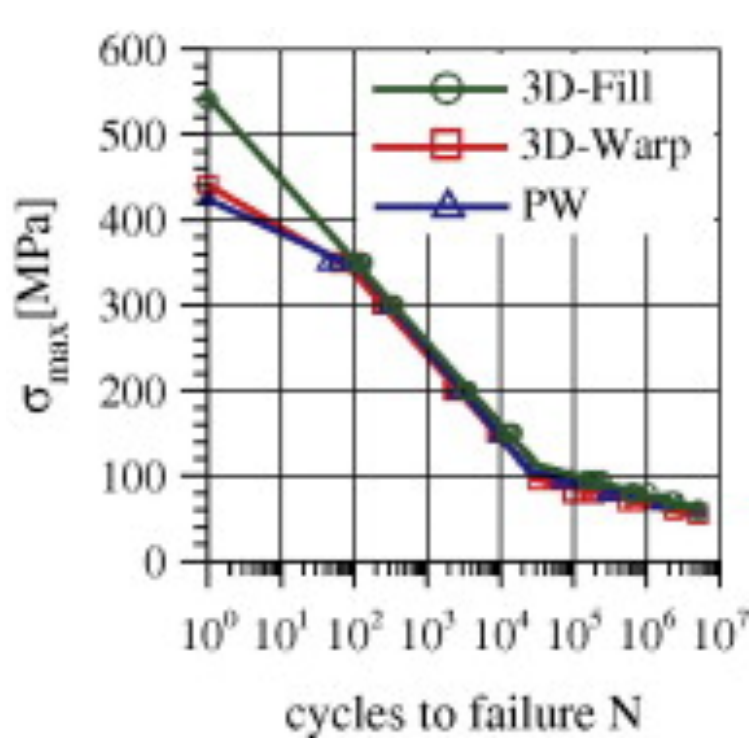
Non-crimp, unstitched,
carbon



(b)

Non-crimp, stitched,
carbon

Fatigue life trends



Data, Carvelli et al, 2010

Preliminary observations:

1. Fatigue life in fiber direction not sensitive to fiber architecture
2. Stitching makes it worse by introducing stress concentrations

Summary: One important message

- It is widely believed that fatigue of composite laminates is “complicated”, and that “too many parameters” exist. “Changing anything changes the fatigue behavior”.

Not true! Some basic observations and looking for answers to basic questions can simplify the fatigue problem. Not doing so can lead to empirical approaches that require a lot of data and still unreliable predictions.